

## Fabricating Photonic Crystals and Their Characterization

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#### ABSTRACT

Photonic crystals is a low-loss periodic medium with periodic changes of refractive index, which is used to control the light.

Theoretically, Photonic crystals can be studied using Maxwell equations, but it's difficult to find a general analytical solution for these equations, since we are dealing with vectors. So we resort to the numerical solutions for Maxwell's equations to calculate the reflection and transmission coefficients and the Photonic band gap.

Two types of samples were made: the first type is in the form of successive dielectric layers  $(SiO_2/TiO_2, ZrO/MgF_2)$  and the second is in the form of successive metallic-dielectric layers (Cr/SiO<sub>2</sub>).

The first set of samples showed selectivity in transmissitivity whose depth related to the number of layers and act as a filter.

The second set of samples exhibited transistivity when the number of layers is small and reflectivity when the number of layers grew larger. The empirically obtained results are in acceptable agreement with the results obtained by Translight cod which is written to simulate these photonic crystal.

These samples, which are one-dimensional Photonic crystal, are drilled by means of CO<sub>2</sub> laser marker to become three-dimensional samples. The results showed some differences compared to the one-dimensional samples, but these differences were not tangible because the hole diameters were very big ~100  $\mu$  in comparison with the laser wavelength ~0.5  $\mu$ . The metallic samples showed the possibility of using them as neutral filters.

Key Words: Coating, Photonic Crystals, Photonic Band Gap, Harmonic Modes, and Translight Code

:Photonic Crystals

.[1,8]

[2] (Photonic Band Gap)

Dielectric Mirror .Resonant Cavity Reflecting Dielectric

PBG

[3] . (1)

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$$\begin{aligned} \nabla .\overset{1}{B}(\overset{\Gamma}{r},t) &= 0 \\ \nabla .\overset{\Gamma}{D}(\overset{\Gamma}{r},t) &= 4\pi\rho \\ \nabla X\overset{\Gamma}{E}(\overset{\Gamma}{r},t) &+ \frac{1}{c}\frac{\partial \overset{\Gamma}{B}(\overset{\Gamma}{r},t)}{\partial t} &= 0 \end{aligned} (1.1) \\ \nabla X\overset{\Gamma}{H}(\overset{\Gamma}{r},t) &- \frac{1}{c}\frac{\partial D(\overset{\Gamma}{r},t)}{\partial t} &= \frac{4\pi}{c}\overset{\Gamma}{J} \\ J & & \overset{I}{H} & \overset{I}{\overset{E}{B}} & \overset{I}{D} \\ & & \cdot t & \rho \end{aligned} ) \\ & & \cdot t & & \rho \end{aligned} (1.2) \\ \overset{\Gamma}{D}(\overset{\Gamma}{r})(=\varepsilon(\overset{\Gamma}{r})\overset{\Gamma}{E}(\overset{\Gamma}{r})) \\ \overset{\Gamma}{B} &= \overset{\Gamma}{H} \\ & \mu = 1 \\ n &= \sqrt{\varepsilon} \\ & \vdots & & \overset{I}{H}(\overset{\Gamma}{r},t) &= \sum_{\omega} C_{\omega}\overset{I}{H}_{\omega}(\overset{\Gamma}{r})e^{i\omega t} \end{aligned}$$

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$$\begin{bmatrix} 6 \end{bmatrix}$$

$$\stackrel{1}{H} \begin{pmatrix} \mathbf{r} \\ r, t \end{pmatrix} = \stackrel{1}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} e^{i\omega t}$$

$$\stackrel{\mathbf{r}}{E} \begin{pmatrix} \mathbf{r} \\ r, t \end{pmatrix} = \stackrel{\mathbf{r}}{E} \begin{pmatrix} \mathbf{r} \\ r, t \end{pmatrix} e^{i\omega t}$$
(1.3)

$$\begin{aligned}
\stackrel{i}{E} \begin{pmatrix} \mathbf{r} \\ \mathbf{r} \end{pmatrix} \\
\nabla \mathbf{X} \begin{bmatrix} \frac{1}{\varepsilon \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix}} \nabla \mathbf{X} \stackrel{\mathbf{r}}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} \end{bmatrix} = \begin{bmatrix} \frac{\omega}{c} \end{bmatrix}^2 \stackrel{\mathbf{r}}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} \qquad (1.4) \\
\nabla \stackrel{i}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} = 0 \\
(1.4) \qquad \qquad \stackrel{i}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} \\
\vdots \\
\end{aligned}$$

$$\theta \overset{\mathbf{r}}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} = \left[ \frac{\omega}{c} \right]^2 \overset{\mathbf{r}}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix}$$
(1.5)  
$$\theta = \nabla \mathbf{X} \left[ \frac{1}{\varepsilon} \nabla \mathbf{X} \right]$$
(1.6)  
$$\theta \qquad \overset{\mathbf{h}}{H} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} \qquad \left[ \frac{\omega}{c} \right]^2$$
(1.6)

$$\varepsilon \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix}$$
.[8]

TE

$$\begin{bmatrix} 1 \end{bmatrix} \\ \vdots \\ H_{k} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} = e^{i\vec{k} \cdot \vec{r}} \underbrace{\mathbf{u}}_{k} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix} \\ \underbrace{\mathbf{u}}_{k} \begin{pmatrix} \mathbf{r} \\ r + R \end{pmatrix} = \underbrace{\mathbf{u}}_{k} \begin{pmatrix} \mathbf{r} \\ r \end{pmatrix}$$
(1.7)

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2	005 (21)	
	PBG	
		PBG
	FORTRAN 77	phocol code
	.Photor	nic Band Structure
		Photonic-Bands
Т		Photonic-Bands
	Translight C	ode

# Calculating Photonic Green s Function

Using a Non -Orthogonal Finite Difference Time Domain Method .Transfer matrix method



Figure 1.4 Summary / Start Up Screen. (2)

.Translight





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(1)

16 14 12 10 8	$MgF_2 \ ZrO_2$
16 14 12 10 8	$MgF_2 \setminus TiO_2$
16 14 12 10 8	SiO <sub>2</sub> \TiO <sub>2</sub>
10 8 4	$Cr \setminus SiO_2$

-1

$$SiO_2 TiO_2 MgF_2 TiO_2 MgF_2 ZrO_2$$

 $\mathrm{CO}_2$ 

	35w	Legend Ex 35W	Marker
.[7]			

	(3	) TEM <sub>0.0</sub>	:
22mm	1		_
35 W	/		_
8			_
22			_

. (120-240µm)



CO<sub>2</sub>

•

(3)

1.06 <i>µ</i>		50w		Nd-YAG	Marker
.(4	)		TEM <sub>0,0</sub>	)	

2005

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(21)

16



. Nd-YAG

4 3 50w Nd-YAG  $\rm CO_2$ XY Ζ

.120-240  $\mu$ 



. (6) Translight













596nm 16

8 615nm 491nm 574nm -1









( / )



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SiO<sub>2</sub>\TiO<sub>2</sub>

Т%	nm	nm	nm	Т %	nm	
30.74	163.08	574	67.8	42.66	596.28	8
22.57	145	566	133.86	32	558	10
30.86	.128	574	183	17.33	579.68	12
25.25	183.	580	125.56	27.11	583.	14
13	106	596	118.92	22.22	561.22	16







### SiO<sub>2</sub>TiO<sub>2</sub>

(7)

. 100-90-80

	Т %		
145	21.77	600	0
128.82	29.77	573.24	80
108	27.88	573.04	90
153.12	28.44	576.36	100









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