

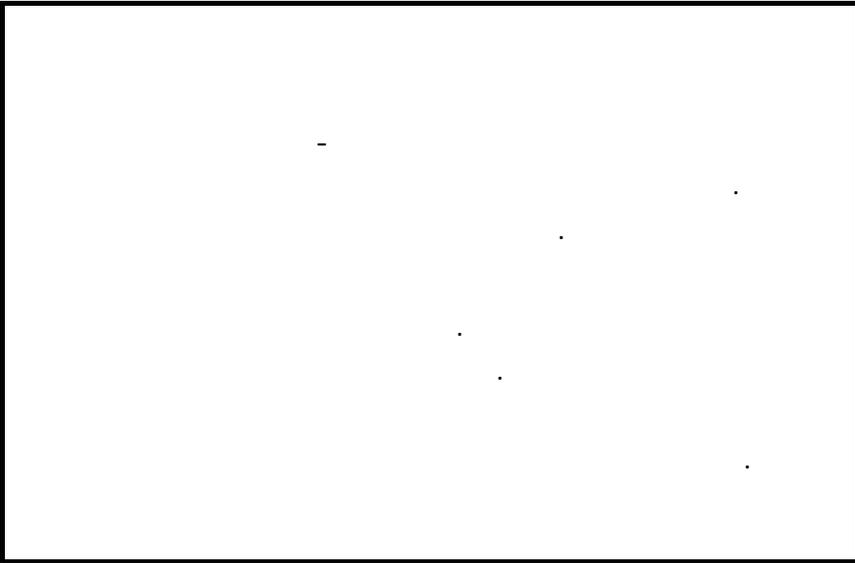
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(Technical Change)

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IFS

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:Review of Literature

Servet & Mrayan,

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.(Abdulrazag & Yousif,

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(Decreasing

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$.1 > \beta + \alpha$

Returns to Scale)

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(Solow)

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$$APL = \frac{Q}{L}$$

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K/L		APK		APL		
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$$APk = \frac{Q}{K}$$

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APk
K

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$$\text{CLR} = \frac{K}{L}$$

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$$Q = F(K, L) \quad (1)$$

(MP_K , MP_L)

Cobb-Douglas Production Function

$$Q = AK^\alpha L^\beta \quad (2)$$

Q
L
K

β α
A

$$\ln Q = \ln a_0 + a_1 \ln K + a_2 \ln L \quad (3)$$

Return to Scale

(-) : :

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($\alpha+\beta>$)

($\alpha+\beta<$)

($\alpha+\beta=$)

Bais of Technical Change

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Marginal Rate of Technical

Substitution

(Chiang, , -)

$$MP_L = \frac{\partial Q}{\partial L} = A\beta K^\alpha L^{\beta-1}$$

$$MP_K = \frac{\partial Q}{\partial K} = A\alpha K^{\alpha-1} L^\beta \dots\dots\dots(4)$$

MP_L & MP_K

$$\frac{MP_L}{MP_K}$$

$$\text{MRTS} = \frac{\partial Q}{\partial L} = \frac{\text{MP}_L}{\text{MP}_K} \dots\dots\dots(5)$$

$$\text{MRTS} = \frac{\text{MP}_L}{\text{MP}_K} = \frac{\beta AK^\alpha L^{\beta-1}}{A\alpha K^{\alpha-1} L^\beta} = \frac{\beta}{\alpha} \cdot \frac{K}{L} \quad (6)$$

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(Tinberg)

$$Q = F(K, L, t) \quad (7)$$

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$$Q = Ae^{rt} K^\alpha L^\beta \quad (8)$$

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$$\ln Q = \ln b_0 + b_1 \ln K + b_2 \ln L + b_3 t + U_t \quad (9)$$

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$$\frac{dQ}{dt} = \left[\left(\frac{\partial f}{\partial K} \cdot \frac{\partial K}{\partial t} \right) + \left(\frac{\partial f}{\partial L} \cdot \frac{\partial L}{\partial t} \right) + \left(\frac{\partial f}{\partial t} \right) \right] \quad (10)$$

:

K&L

(Q)

(-) : :

$$\frac{1}{Q} \cdot \frac{dQ}{dt} = \frac{1}{Q} \cdot \left[\left(\frac{\partial f}{\partial K} \cdot \frac{\partial K}{\partial t} \cdot K \cdot \frac{1}{K} \right) + \left(\frac{\partial f}{\partial L} \cdot \frac{\partial L}{\partial t} \cdot L \cdot \frac{1}{L} \right) + \left(\frac{\partial f}{\partial a} \right) \right] \quad (11)$$

:

$$\frac{\partial Q / \partial t}{Q} = \frac{(\partial f / \partial K) \cdot K}{Q} \cdot \frac{\partial k / \partial t}{K} + \frac{(\partial f / \partial L) \cdot L}{Q} \cdot \frac{\partial l / \partial t}{L} + \frac{\partial f / \partial a}{Q} \dots \dots \dots (12)$$

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$$G_Q = \frac{\partial Q / \partial t}{Q}$$

$$G_K = \frac{\partial K / \partial t}{K}$$

$$G_L = \frac{\partial L / \partial t}{L}$$

$$W_L = \frac{(\partial f / \partial K)}{Q} K$$

$$W_L = \frac{(\partial f / \partial L)}{Q} L$$

$$\lambda = \frac{\partial f / \partial a}{Q}$$

(Disemodied Technical

.Change)

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$$G_Q = W_K \cdot G_K + W_L \cdot G_L + \lambda \quad (13)$$

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$$() . + [\cdot$$

$$. \lambda ()$$

(Trans-Log Production

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Function)

$$\ln Q = \ln A + \alpha \ln L + \beta \ln K + \phi K + \lambda L + \Gamma T \quad (14)$$

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(Lardaro,

.PP)

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(=)

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$$\ln Q = - + , \ln K + , \ln L \quad ()$$

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R = , , DW = , , F-ratio = ,

$$Q = 0.072K^{0.36}L^{1.11} \quad (16)$$

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(-) : :

.Autocorrelation

DW

($\beta + \alpha$)= ,

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() (α/β)

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	α/β	β/α	Cap(α)	Lab(β)	
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$$\ln Q = - \quad + \quad \ln K + \quad \ln L + \quad t \quad ()$$

$$(- \quad) \quad (\quad) \quad (\quad) \quad (- \quad)$$

$$R = \quad, \quad F\text{-ratio} = \quad, \quad DW = \quad,$$

$$Q = 0.2e^{0.05t} K^{0.85} L^{0.66} \quad (18)$$

F-ratio

(-) : :

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(,)

($\alpha+\beta=$,)

(,)

β/α

($G_Q=$)

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($G_L=$,)

($G_k=$,)

($W_k=$,)

($W_L=$,)

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(γ)

$$G_Q - W_k \bullet G_k + W_L \bullet G_L = \lambda \quad (19)$$

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$$, -(, \bullet ,) - (, \bullet ,) = ,$$

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$$\ln Q = , - , \ln L + , \ln K + , K + , L + , T$$

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$$(,) (- ,) (,) (,) (,) (,)$$

$$R = , \quad DW = , \quad \rho = 0.$$

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