

Question1:(15points)

- 1-What are the Benefits of BIM during the design phase of a project.
- 2-What are the Main ideas for BIM-based site safety.
- 3-What are the deffirences between CAD,BIM SYSTEMS .

Question 2:(20 points)

- Write **Matlab Script** ,to calculate the Shear and the Moment values in 1000 points of L, for the beam showing in figure1.
 - Write Matlab Commands to draw the shear and the moment diagram as shown in figure2.
- (Specify the Shear Diagram(v),the MomentDiagram(m), x Axis ,y Axis and labels ,using subplot Matlab Method).

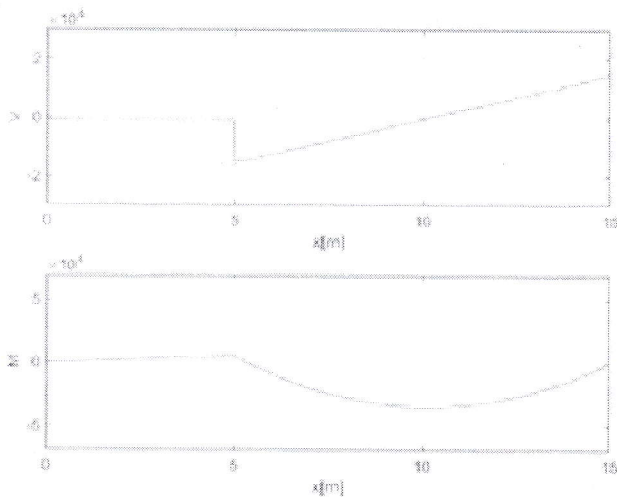


figure 2

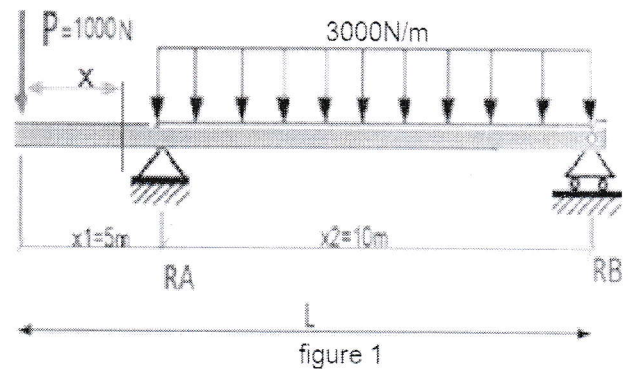
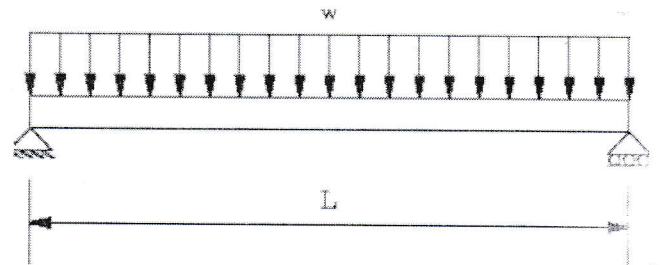


figure 1

Question3(15 points)

- Use **Simpsons Rule** to calculate the area of the moment diagram for the beam showing aside.
 - Use the matlab command **Trapz** to calculate the area of the moment diagram.
- (w=1 kn/m L=8m n=10)



Question 4:(20 points)

By using the **Golden Section** search method, find the value of x that maximize:

$$f(x) = 2x - 1.75x^2 + 1.1x^3 - 0.25x^4,$$

find($x_{op}, f(x_{op})$), where ($xL = -2$, $xu = 4$),try **three iterations**.

(write the results in a table).

End Of Questions

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Question2(20 points)

```
x1=input('x1=') (5 point: inputs)
x2=input('x2=enter x2>x1')
p=input('p=')
w=input('w=')
L=x1+x2
x=linspace(0,L,1000); (1 point)
rb=(w*x2^2/2-p*x1)/x2 (1 point)

for i=1:length(x) (8 points)
    if (x(i)<x1)
        V(i)=-p;
        M(i)=p*x(i);
    else
        V(i)=rb-w*(L-x(i));
        M(i)=w*(L-x(i))^2/2-rb*(L-x(i));
    end %if
end %for
subplot(2,1,1), plot(x,V) (5 points)
axis([0,L,-30000,+30000])
grid
xlabel('x[m]'),ylabel('V')
subplot(2,1,2), plot(x,M)
axis([0,L,-70000,+70000])
grid
xlabel('x[m]'), ylabel('M')
rb=14500
```

Question4(20 points)

Golden section: (15 point for tables values)

i	xL	xu	X1	X2	F(x1)	F(x2)
1	-2	4	1.708	0.292	1.664	0.460
2	0.292	4	2.584	1.708	1.316	1.664
3	0.292	2.584	1.708	1.167	1.664	1.235

iter 1: $a = -2$, $b = 4$, $x_1 = a + R(b-a) = 1.708$, $x_2 = b - R(b-a) = 0.292$ $f(x_1) = 1.664$, $f(x_2) = 0.460$
 $f(x_1) > f(x_2)$ then continue with $[x_2, b]$. $f(x_1) > f(x_2)$ then $x_{opt} = x_1 = 1.708$, $ea = (1-R) * (b-a) / |x_{opt}| * 100 = 134 \%$

iter 2: $a = 0.292$, $b = 4$, $x_1 = a + R(b-a) = 2.584$, $x_2 = 1.708$ $f(x_1) = 1.316$, $f(x_2) = 1.664$ $f(x_1) < f(x_2)$
 $f(x_1) < f(x_2)$ then continue with $[a, x_1]$. $f(x_1) < f(x_2)$ then $x_{opt} = x_2 = 1.708$, $ea = (1-R) * (b-a) / |x_{opt}| * 100 = 83 \%$

iter 3: $a = 0.292$, $b = 2.584$, $x_1 = 1.708$, $x_2 = b - R(b-a) = 1.167$ $f(x_1) = 1.664$, $f(x_2) = 1.235$
 $f(x_1) > f(x_2)$ then continue with $[x_2, b]$. $f(x_1) > f(x_2)$ then $x_{opt} = x_1 = 1.708$, $ea = (1-R) * (b-a) / |x_{opt}| * 100 = 51 \%$.

XOP=(2.585+.292)/2=1.4385 (5 points)

