

تصميم بمساعدة الحاسب Computer Aided Design

Lecture 3

Control Structures & Figures

25/11/2025

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Damascus University

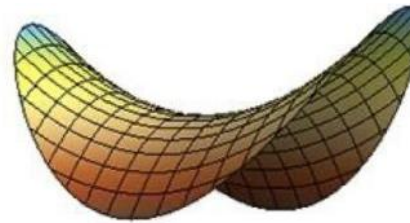
Civil Engineering Faculty

Last Lecture

- Matrix Calculator Continued...
 - Linear Equations
 - Symbolic Math Toolbox
- Control Structures
 1. Conditions
 2. Loops

Content

- Loops Continued...
- Examples
- Notes:
 1. Debugging
 2. Performance
 3. Numerical Tolerance
- Figures
 - 2D plot
 - Functions
 - Examples, Beams and Trusses
 - 3D plot

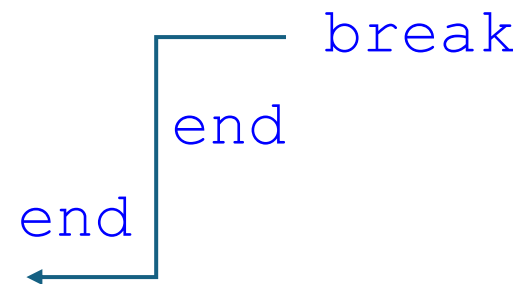


$$z = \frac{x^2}{a^2} - \frac{y^2}{b^2}, \quad \frac{x^2}{a^2} + \frac{y^2}{b^2} < 1$$



Endless Loops!

```
counter = 1;  
while true  
    disp(counter)  
    counter = counter + 1;  
    if counter > 3  
        break  
    end  
end
```



1
2
3

Nested Loops

```
    for x = 1:3
      for y = 4:5
        disp([x y])
      end
    end
```

Outer

Inner

x: 3 iterations

y: 2 iterations

3×2 = 6 iterations

1	4
1	5
2	4
2	5
3	4
3	5

When working with nested loops, the outer loop changes only after the inner loop is completely done

Ends

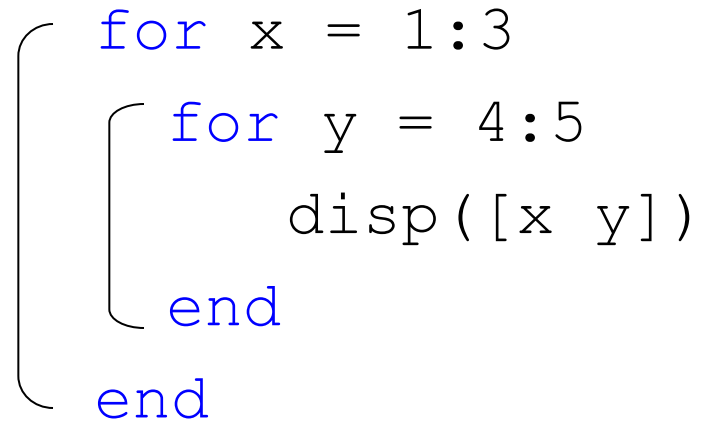
- if / end : same number
- for, while / end : same number
- $(1+2 \times (3+4))$ = $(1+2 \times (3+4))$
Not $(1+2 \times (3+4))$

A bracket will always close the last opened one
Same for if/for/while & end

Nested Loops

Nested loops

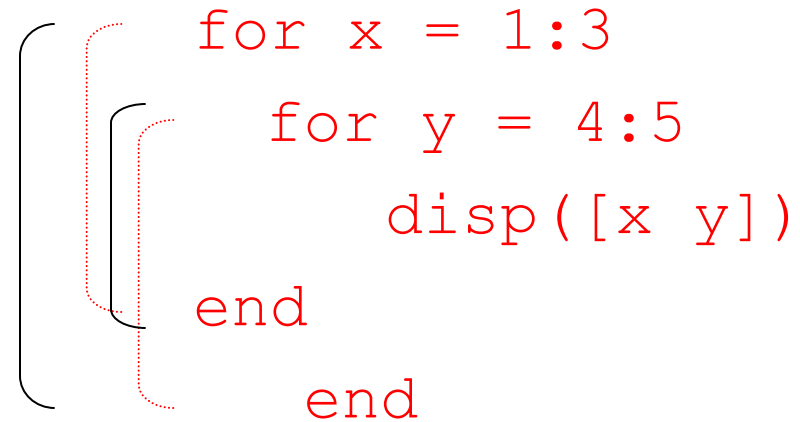
```
for x = 1:3
    for y = 4:5
        disp([x y])
    end
end
```



Allowed

Unnested loops

```
for x = 1:3
    for y = 4:5
        disp([x y])
    end
end
```



Allowed as nested

Whitespace is ignored

Loops Comparison

- `for`
- `while`

For Syntax

```
for counter = start:step:end  
    code  
end
```

- Using counter (different value for each iteration)
- Predefined number of steps, will not change

While Syntax

```
code1  
while condition  
    code2  
end
```

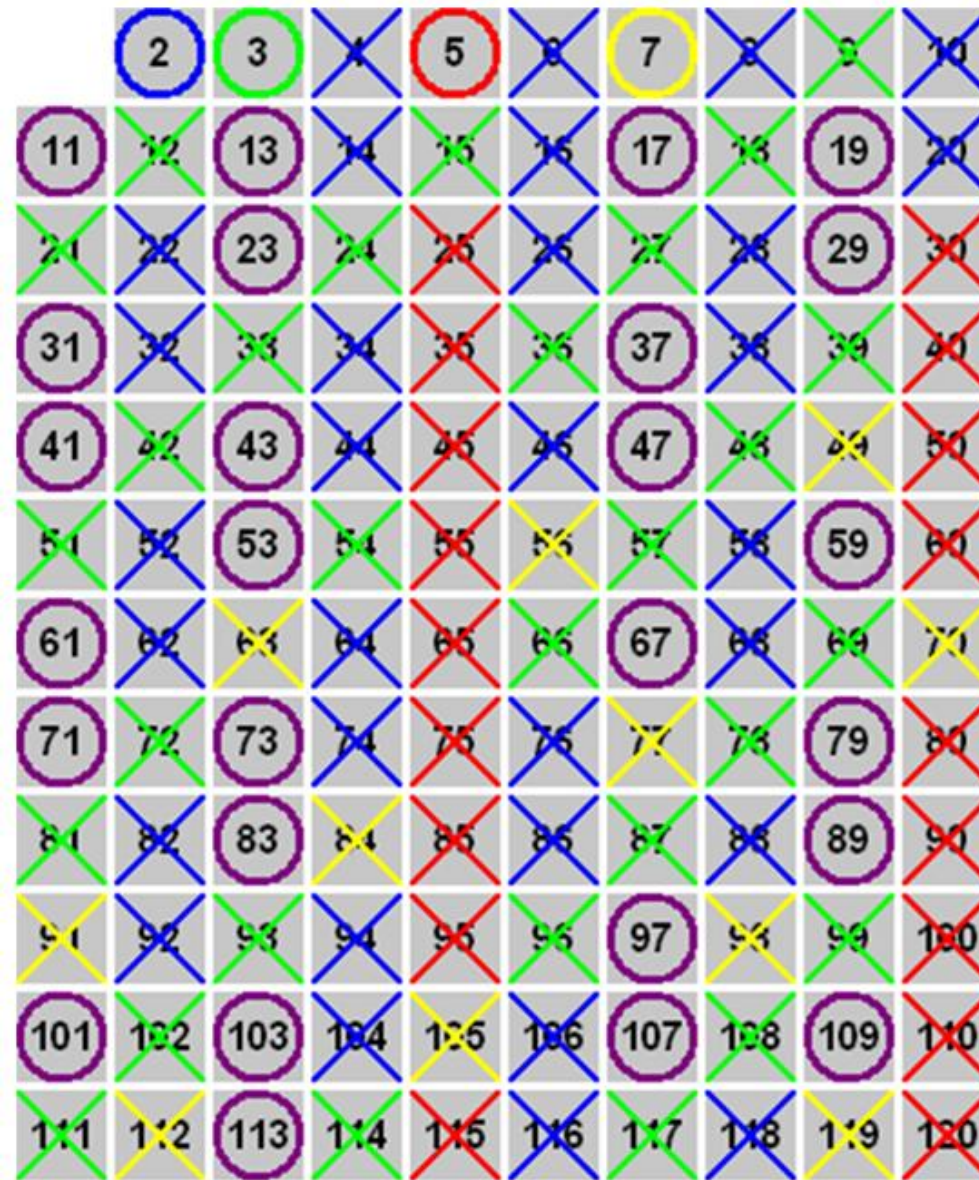
- No counter
- Undefined number of steps, could be 0
- `code1` : Needs to satisfy `condition` to get into the loop
- `code2` : Needs to break `condition` to get out of the loop

Prime Numbers Example

To find all prime numbers less than or equal to integer n (Eratosthenes' method)

1. Create a list of consecutive integers from 2 to n : $(2, 3, \dots, n)$.
2. Initially, let p equal 2, the first prime number.
3. Strike from the list all multiples of p less than or equal to n . ($2p, 3p$, etc.)
4. Find the first number remaining on the list after p (this number is the next prime); replace p with this number.
5. Repeat steps 3 and 4 until p^2 is greater than n .
6. All the remaining numbers in the list are prime.

	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100
101	102	103	104	105	106	107	108	109	110
111	112	113	114	115	116	117	118	119	120



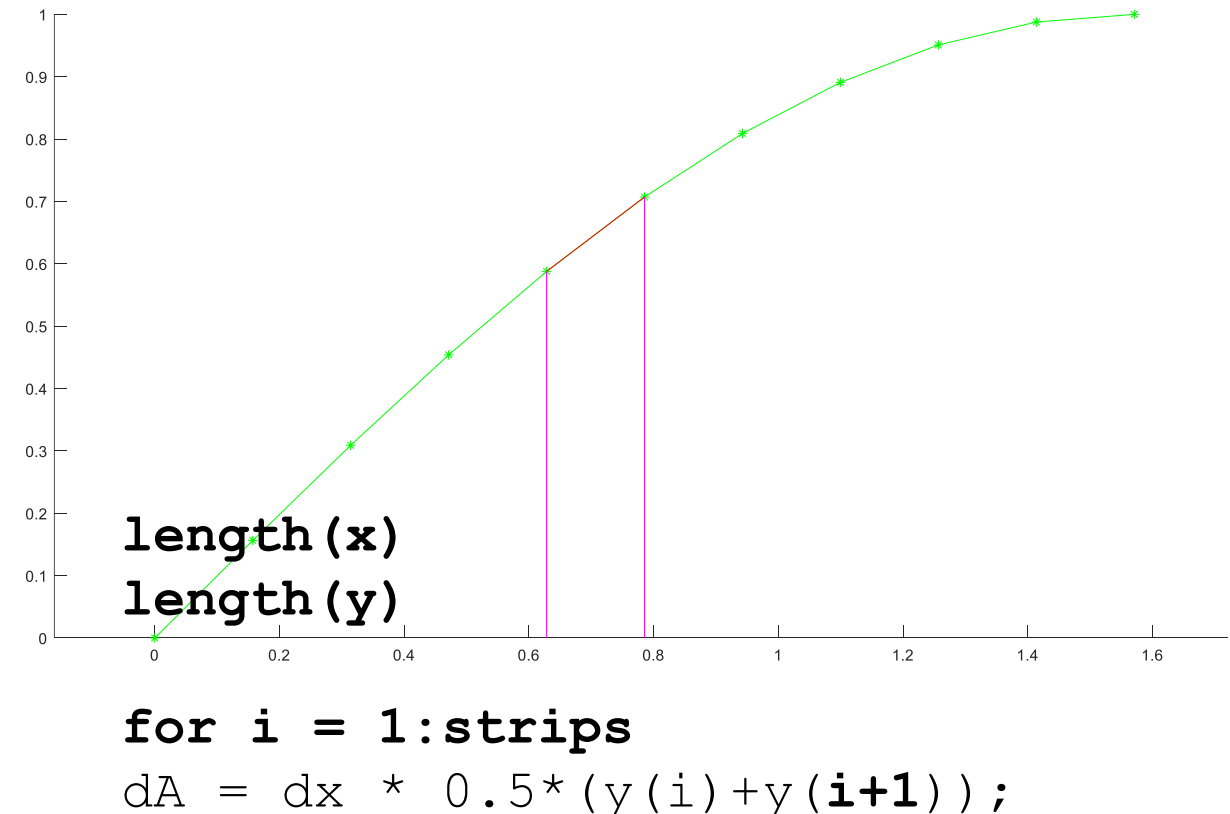
Prime numbers

2	3	5	7
11	13	17	19
23	29	31	37
41	43	47	53
59	61	67	71
73	79	83	89
97	101	103	107
109	113		

Numerical Integration

- Calculate area under function $y = \sin(x)$ in the range $[0 \ \pi/2]$

```
x1 = 0; x2 = pi/2;  
range = x2 - x1;  
strips = 10;  
dx = range/strips;  
x = x1 : dx : x2; % 11 point  
y = sin(x);  
A = 0;  
for i = 1:strips  
    dA = dx * 0.5*(y(i)+y(i+1));  
    A = A + dA;  
end  
disp(A)
```



Symbolic Math Toolbox

```
syms x
```

```
int(sin(x))
```

$-\cos(x)$

```
int(sin(x), 0, pi/2)
```

1

Other Examples

$$\sin(x) = x - \frac{x^3}{3!} + \frac{x^5}{5!} - \frac{x^7}{7!} + \dots$$
$$= \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n+1)!} x^{2n+1}$$

```
function y = sin_ex(x)
y = 0;
for n = 0 : 10
    y = y + (-1)^n * x^(2*n+1) / factorial(2*n+1);
end
```

$$\cos(x) = 1 - \frac{x^2}{2!} + \frac{x^4}{4!} - \frac{x^6}{6!} + \dots$$
$$= \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n)!} x^{2n}$$

```
function y = cos_ex(x)
y = 0;
for n = 0 : 10
    y = y + (-1)^n * x^(2*n) / factorial(2*n);
end
```


Other Examples

$$\sinh x = \sum_{n=0}^{\infty} \frac{x^{2n+1}}{(2n+1)!} = x + \frac{x^3}{3!} + \frac{x^5}{5!} + \dots$$

$$\cosh x = \sum_{n=0}^{\infty} \frac{x^{2n}}{(2n)!} = 1 + \frac{x^2}{2!} + \frac{x^4}{4!} + \dots$$

$$e^x = \sum_{n=0}^{\infty} \frac{x^n}{n!} = 1 + x + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots$$

$$\ln(1-x) = -\sum_{n=1}^{\infty} \frac{x^n}{n} = -x - \frac{x^2}{2} - \frac{x^3}{3} - \dots$$

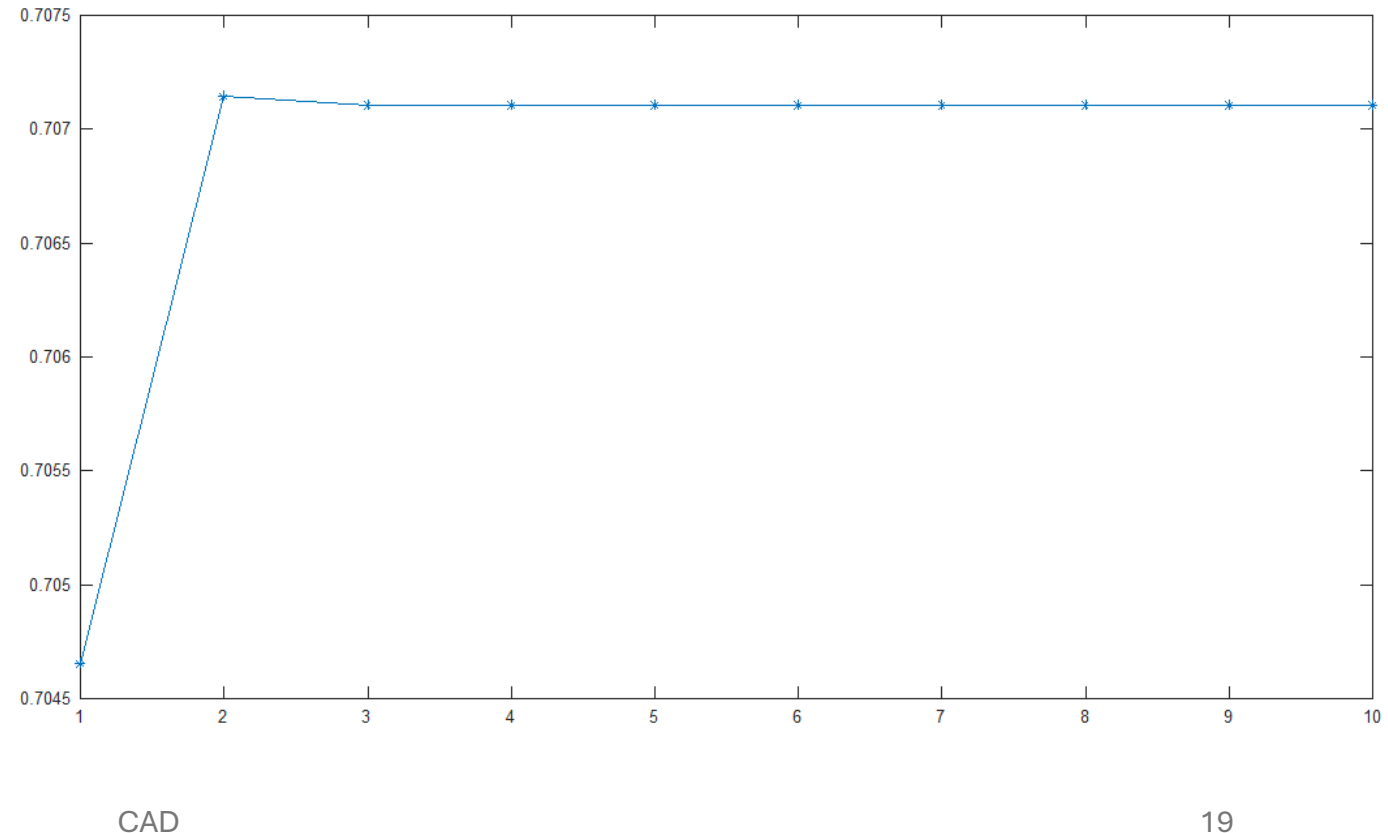
$$\ln(1+x) = \sum_{n=1}^{\infty} (-1)^{n+1} \frac{x^n}{n} = x - \frac{x^2}{2} + \frac{x^3}{3} - \dots$$

$$\sqrt{1+x} = \sum_{n=0}^{\infty} \frac{(-1)^n (2n)!}{(1-2n)(n!)^2 (4^n)} x^n = 1 + \frac{1}{2}x - \frac{1}{8}x^2 + \frac{1}{16}x^3 - \frac{5}{128}x^4 + \dots$$

Number of Steps

- Engineers can determine the required number of steps
 - Accuracy
 - Efficiency

Max	n	$\sin(45^\circ)$
	1	0.704652651209168
	2	0.707143045779360
	3	0.707106469575178
	4	0.707106782936867
	5	0.707106781179619
	6	0.707106781186568
	7	0.707106781186547
	8	0.707106781186547
	9	0.707106781186547
	10	0.707106781186547



Other Examples

- FindMax
- Least Common Multiple LCM
- Greatest Common Divisor GCD

Download:

المحاضرة رقم 1 : 2025/11/11 المدرج الرابع

- <https://damascusu.edu.sy/>

Files:

- [Presentation](#)
- [PDF](#)
- MATLAB:
 - [script1 lec1](#)
 - [script2 lec1](#)
 - [script3 lec1](#)
 - [cosinerule lec1](#)
 - [matrices lec1](#)

المحاضرة رقم 2 : 2025/11/18 المدرج الأول

- <https://cad.el.sy/>

Files:

- [Presentation](#)
- [PDF](#)
- MATLAB:
 - [examples lec2](#)
 - [linear eq lec2](#)
 - [root ex](#)
 - [root lec2](#)
 - [ebill ex](#)
 - [loops lec2](#)

Important Notes

- Clear your command window `clc`
- check for missed or redundant end
 - Select all code (Ctrl+A) and indent (Ctrl+I) to
- Debug using break points and F5, F10, F11
- Save .m files and .mat workspace



```
1  function tariff = ebill_ex(kwh)
2  % Calculate electricity bill
3  if kwh < 1
4      tariff = 0;
5  elseif kwh <= 600
6      tariff = kwh * 2;
7  elseif kwh <= 1000
8      tariff = 600 * 2 + (kwh - 600) * 6 ;
9  elseif kwh <= 1500
10     tariff = 600 * 2 + 400 * 6 + (kwh - 1000) * 20;
```

Performance

- Write script to check if a point $P(x, y)$ is inside a circle:

centre $c(x_c, y_c) = (0, 0)$ and radius $r = 1$

```
function isinside = inside(x, y)
xc = 0; yc = 0;
r = 1;
dist = sqrt((x-xc)^2 + (y-yc)^2);
if dist <= r
    isinside = true;
else
    isinside = false;
end
```

```
function isinside = inside(x, y)
xc = 0; yc = 0;
r = 1;
dist2 = (x-xc)^2 + (y-yc)^2;
if dist2 <= r^2
    isinside = true;
else
    isinside = false;
end
```

- sqrt vs ^2
- Multiple points with the same circle

Numerical Tolerance

```
>> inside(1, 0)
```

```
ans =
```

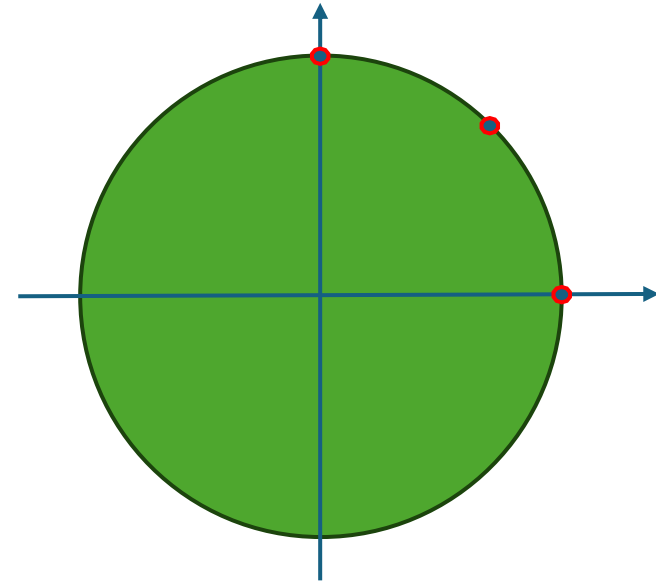
```
1
```

```
>> inside(0, 1)
```

```
ans =
```

```
1
```

```
>>
```



Numerical Tolerance

```
>> inside(2^.5/2, 2^.5/2)
```

```
ans =
```

```
1
```

```
>> inside(0.707106781186548, 0.707106781186548)
```

```
ans =
```

```
0
```

```
>>
```

```
>> 2^.5/2
```

```
ans =
```

```
0.707106781186548
```

Change inside

```
function isinside = inside(x, y)
xc = 0; yc = 0;
r2 = 1;
dist2 = (x-xc)^2 + (y-yc)^2;
if dist2 <= r2
    isinside = true;
else
    isinside = false;
end
```

```
function isinside = inside(x, y)
xc = 0; yc = 0;
r2 = 1;
dist2 = (x-xc)^2 + (y-yc)^2;
if dist2 <= (r2 + 1E-6)
    isinside = true;
else
    isinside = false;
end
```

Numerical Tolerance

```
>> inside(2^.5/2, 2^.5/2)
```

```
ans =
```

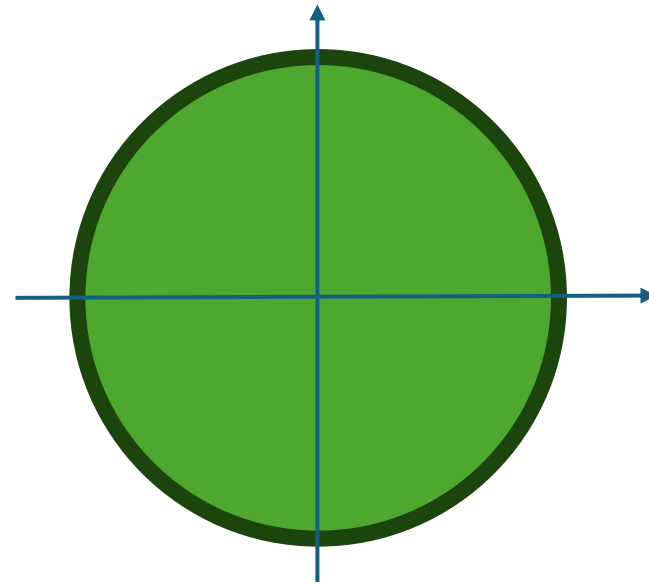
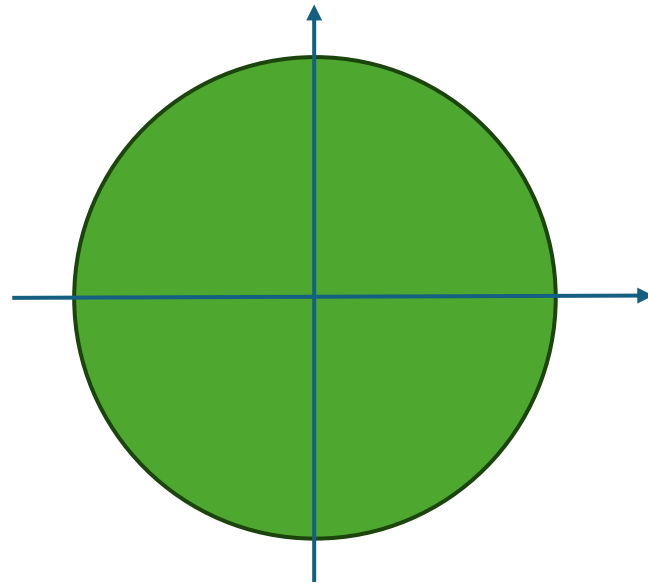
```
1
```

```
>> inside(0.707106781186548, 0.707106781186548)
```

```
ans =
```

```
1
```

```
>>
```



Numerical Precision

- `sin (0)`
- `sin (pi)`
- `sin (2 * pi)`

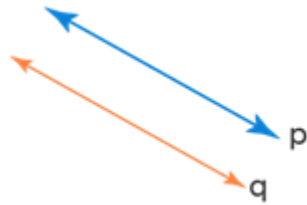
```
>> sin(0)
ans =
    0

>> sin(pi)
ans =
    1.224646799147353e-16

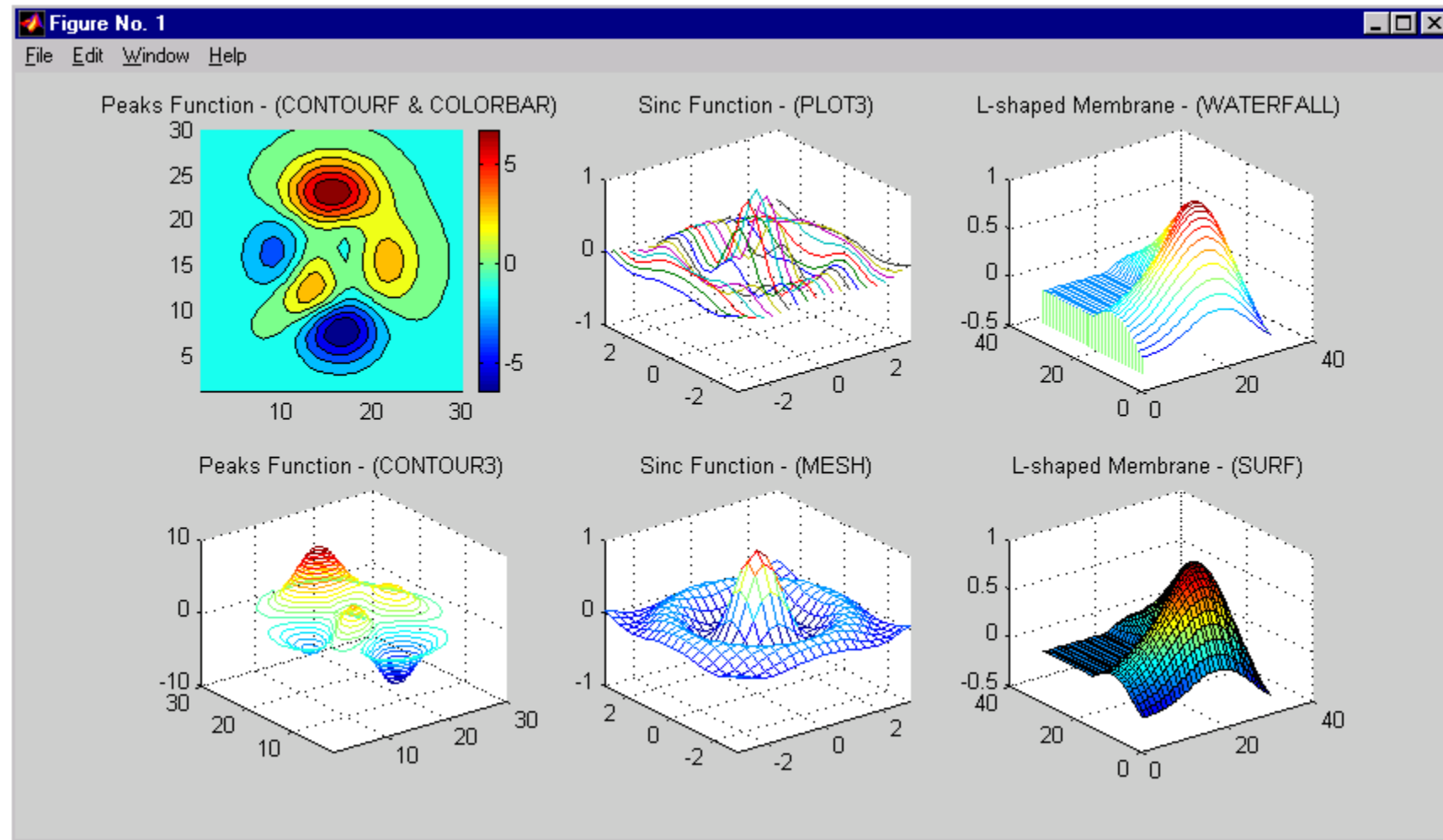
>> sin(2*pi)
ans =
   -2.449293598294706e-16
```

Numerical Precision

- Parallel lines
 - Line slope
 - Intersection
- Lunar calendar



Figures



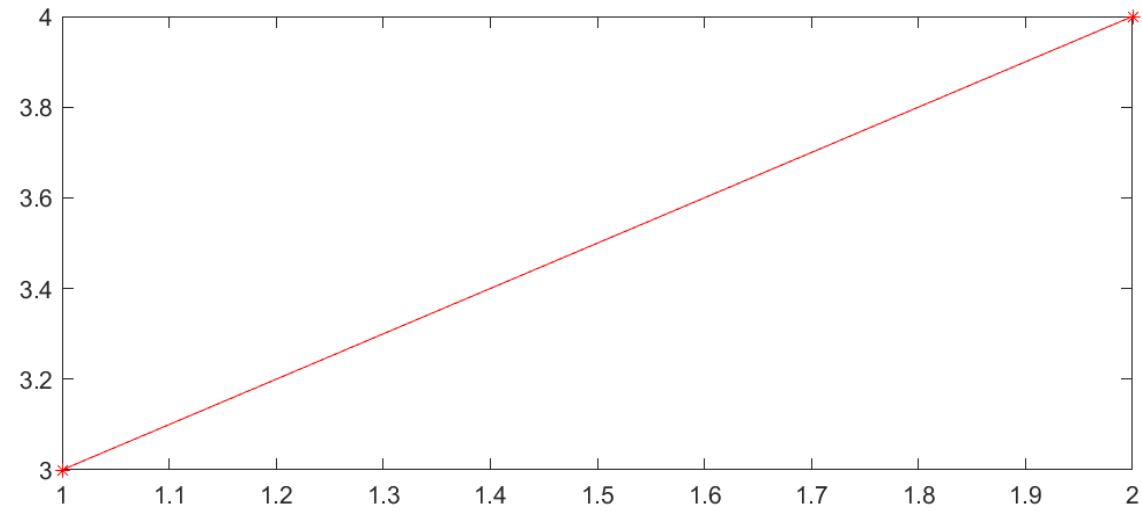
Plot

```
x = [1 2];
```

```
y = [3 4];
```

```
plot(x, y)
```

```
plot(x, y, '-*r')
```



Plot

- `plot(X,Y)` plots vector Y versus vector X.
- `plot(X,Y,S)` where S is a character string:

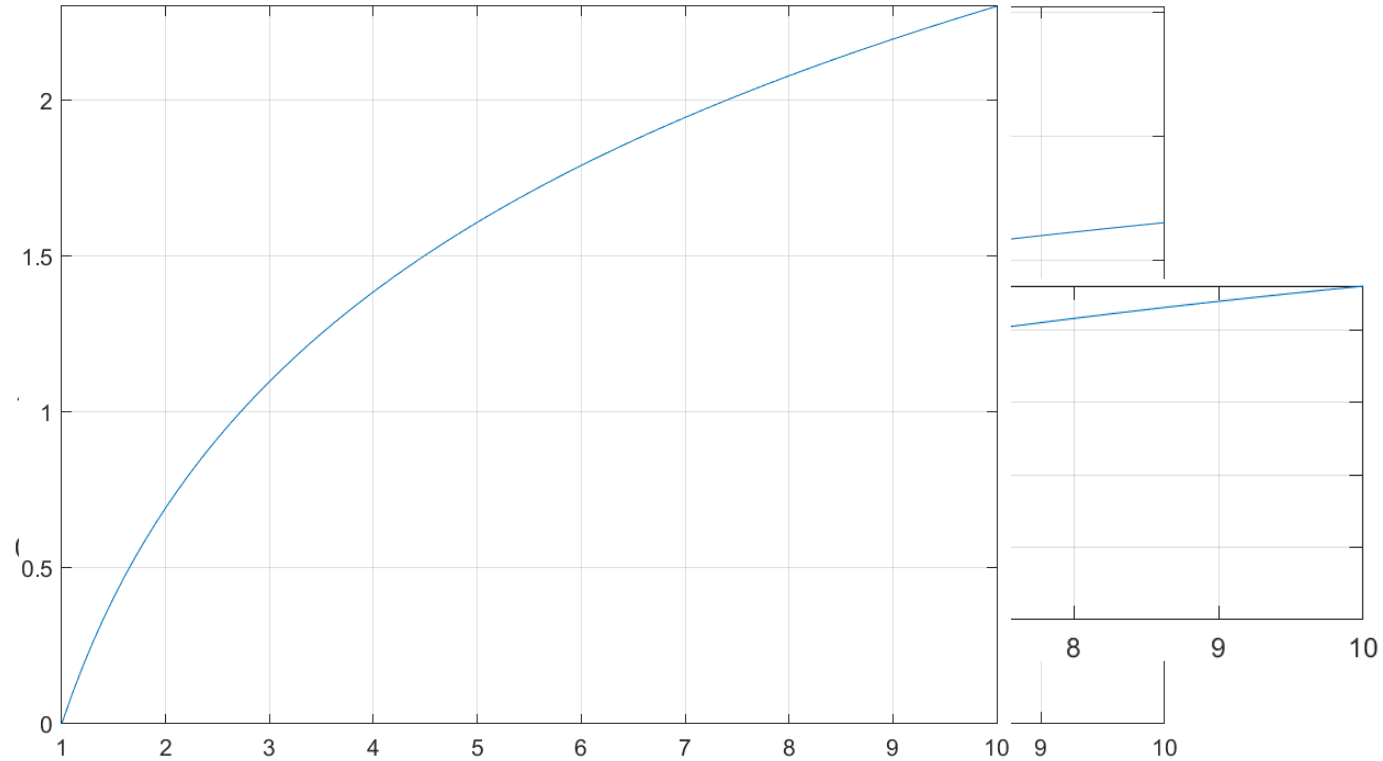
b blue	. point	- solid
g green	o circle	: dotted
r red	x x-mark	- . dashdot
c cyan	+ plus	-- dashed
m magenta	* star	(none) no line
y yellow	s square	
k black	d diamond	
w white	v triangle (down)	
	^ triangle (up)	
	< triangle (left)	
	> triangle (right)	
	p pentagram	
	h hexagram	

Plot

```
x=1:10;  
y=log(x);  
plot(x,y, '*:')
```

```
x=1:0.1:10;  
y=log(x);  
plot(x,y, '-')
```

```
grid  
axis equal  
axis([1 10 0 2.5]) % x1 x2 y1 y2  
axis([1 Inf 0 Inf])  
daspect([3 1 1]) % Data aspect ratio
```

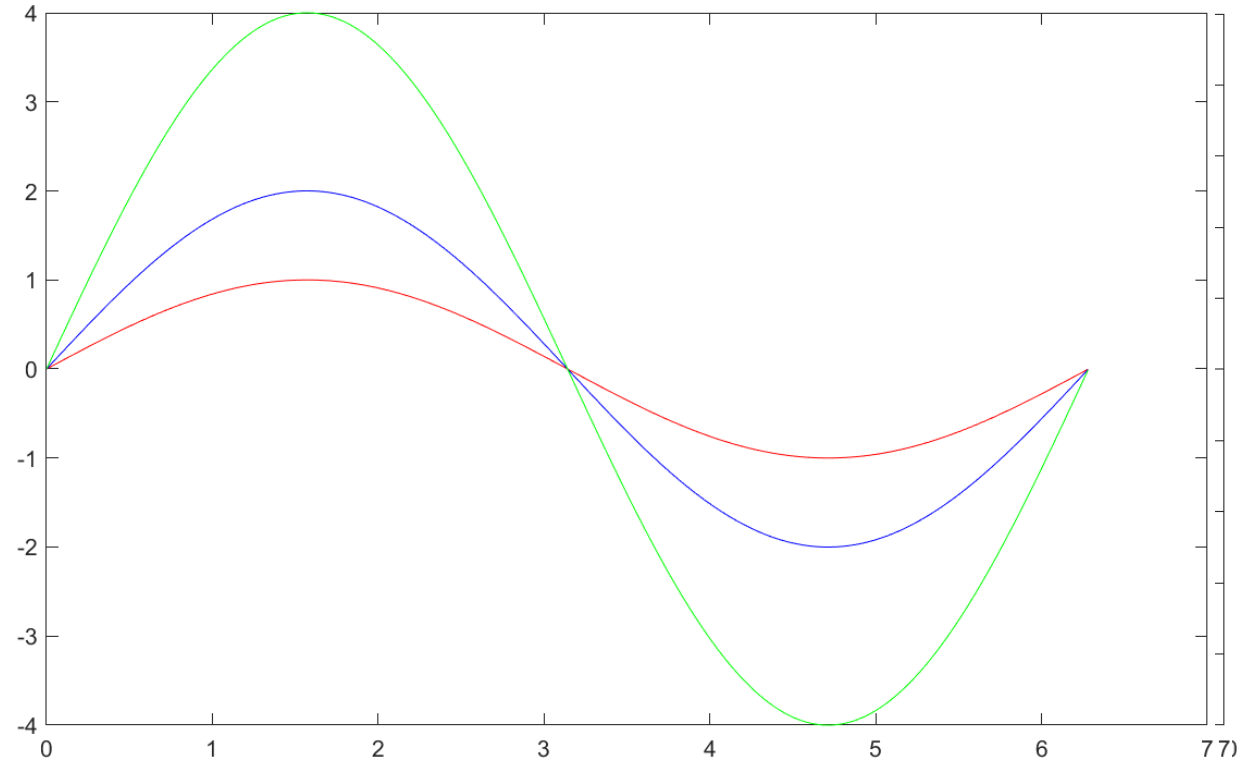


Plot

```
x = 0:0.1:2*pi; % length 63  
y = sin(x);  
plot(x,y)
```

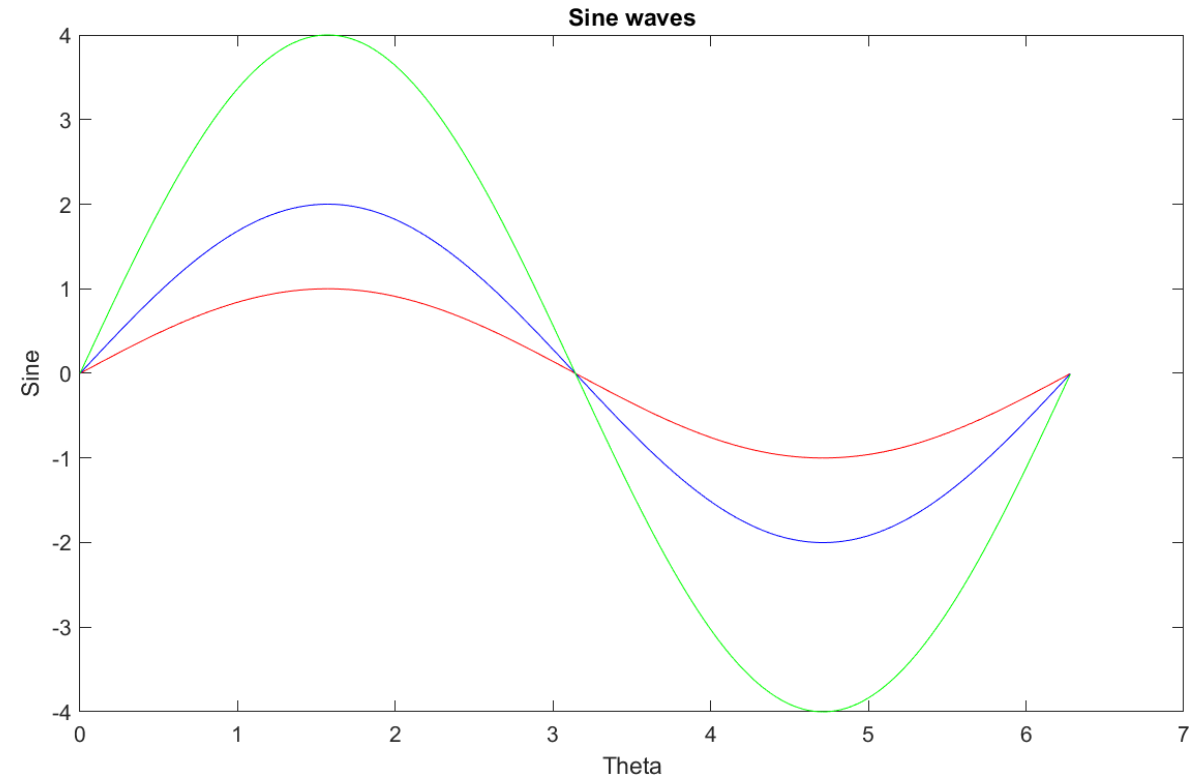
```
plot(y)  
% plots Y columns vs. index
```

```
x = 0:.01:2*pi;  
y1 = sin(x);  
y2 = sin(2*x);  
y3 = sin(4*x);  
plot(x, y1, 'r', x, y2, 'b', x, y3, 'g')  
plot(x, y1, 'r', x, 2*y1, 'b', x, 4*y1, 'g')
```



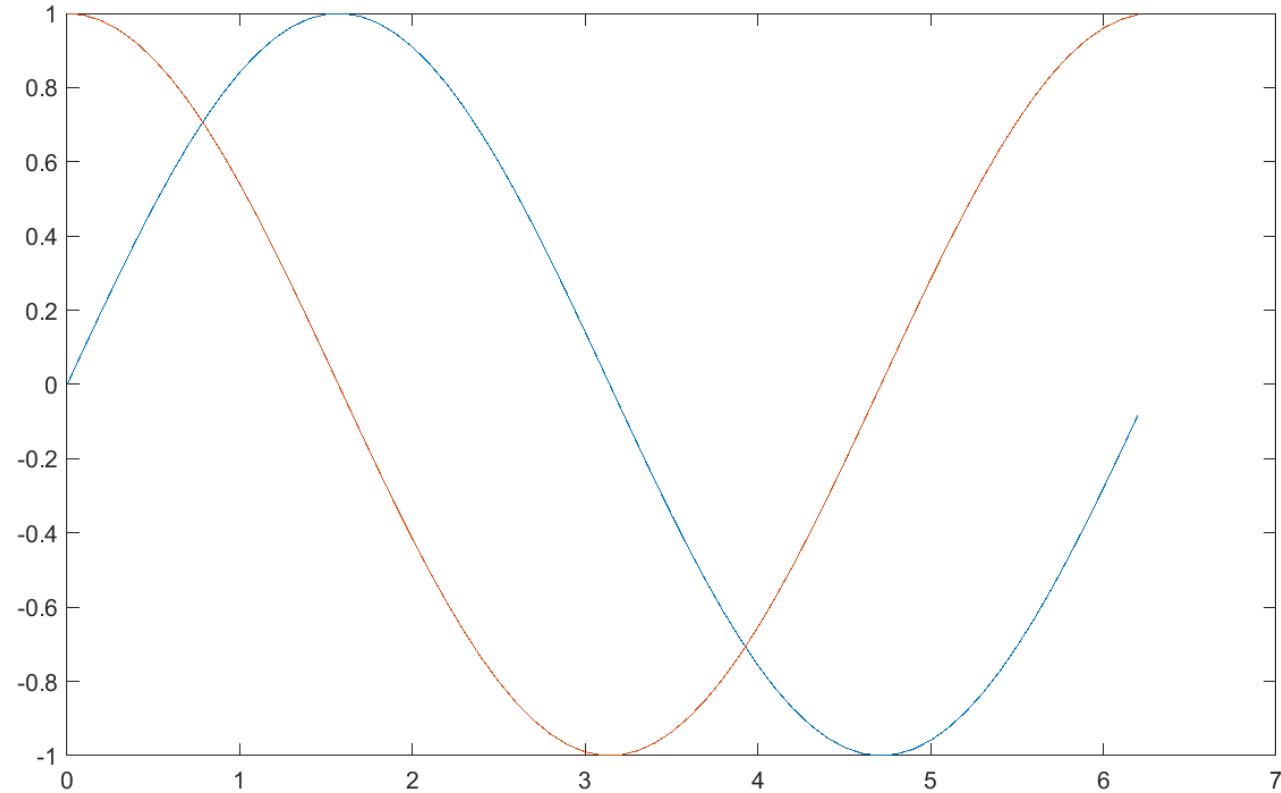
Plot

- `title('Sine waves')`
- `xlabel('Theta')`
- `ylabel('Sine')`
- `clf`
- `hold on`
- `hold off`



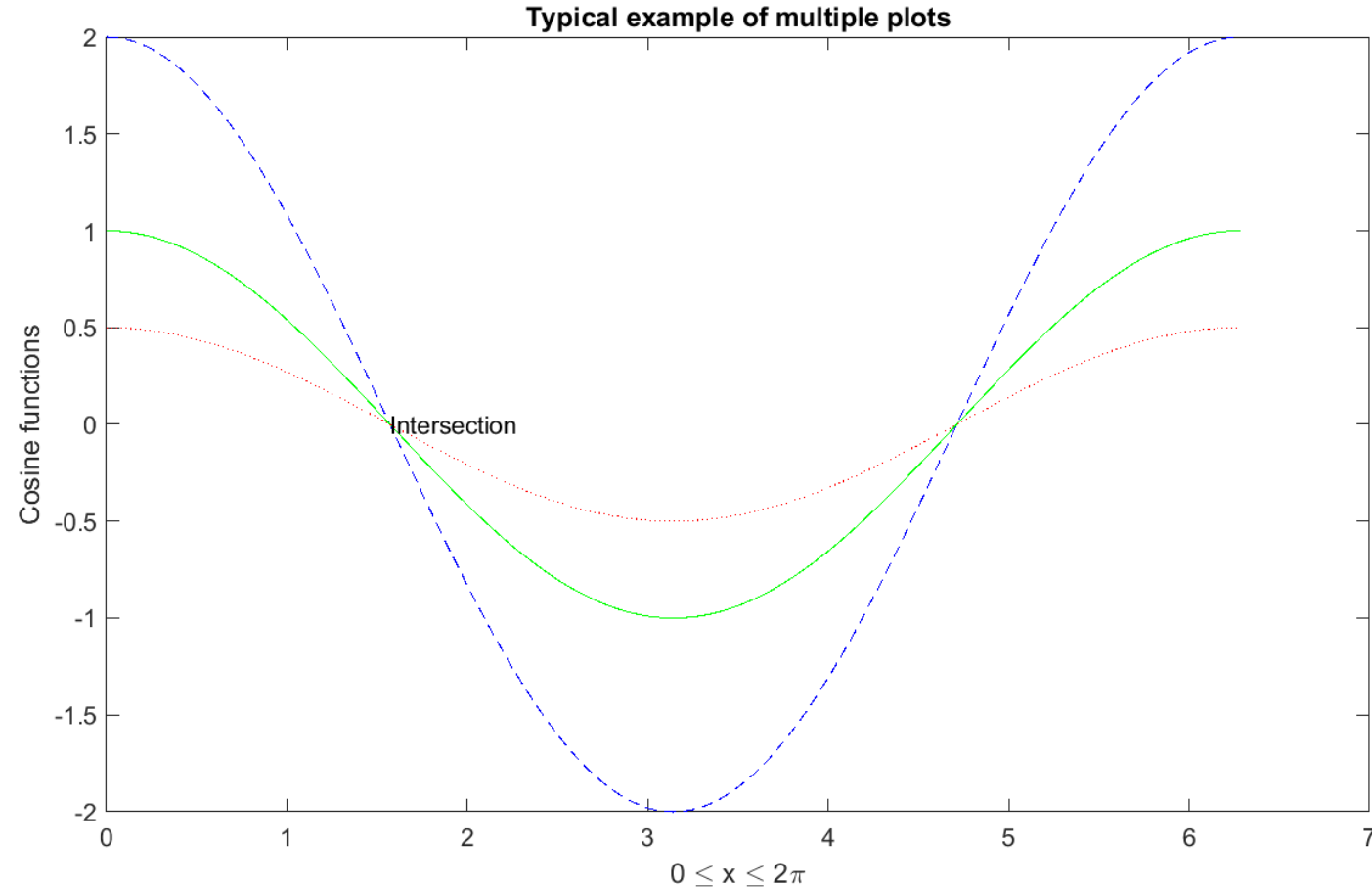
Plot

```
x=0:0.1:2*pi;  
plot(x, sin(x))  
hold on  
plot(x, cos(x))  
hold off
```



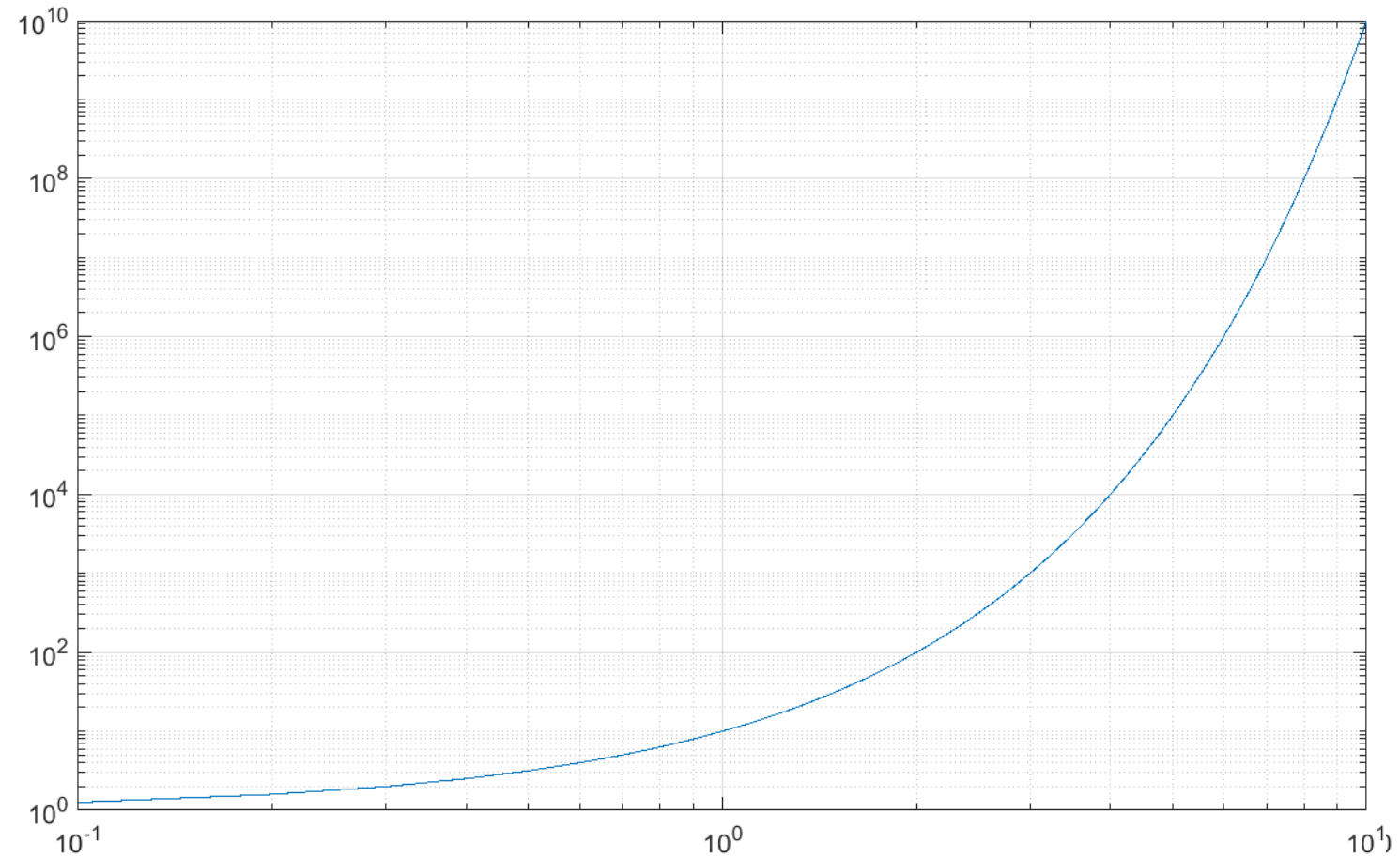
Plot

```
x = 0:pi/100:2*pi;  
y1 = 2*cos(x);  
y2 = cos(x);  
y3 = 0.5*cos(x);  
plot(x,y1,'--b',x,y2,'-g',x,y3,':r')  
% Use LaTeX  
xlabel('0 \leq x \leq 2\pi')  
ylabel('Cosine functions')  
title('Typical example')  
text(pi/2, 0, 'Intersection')
```



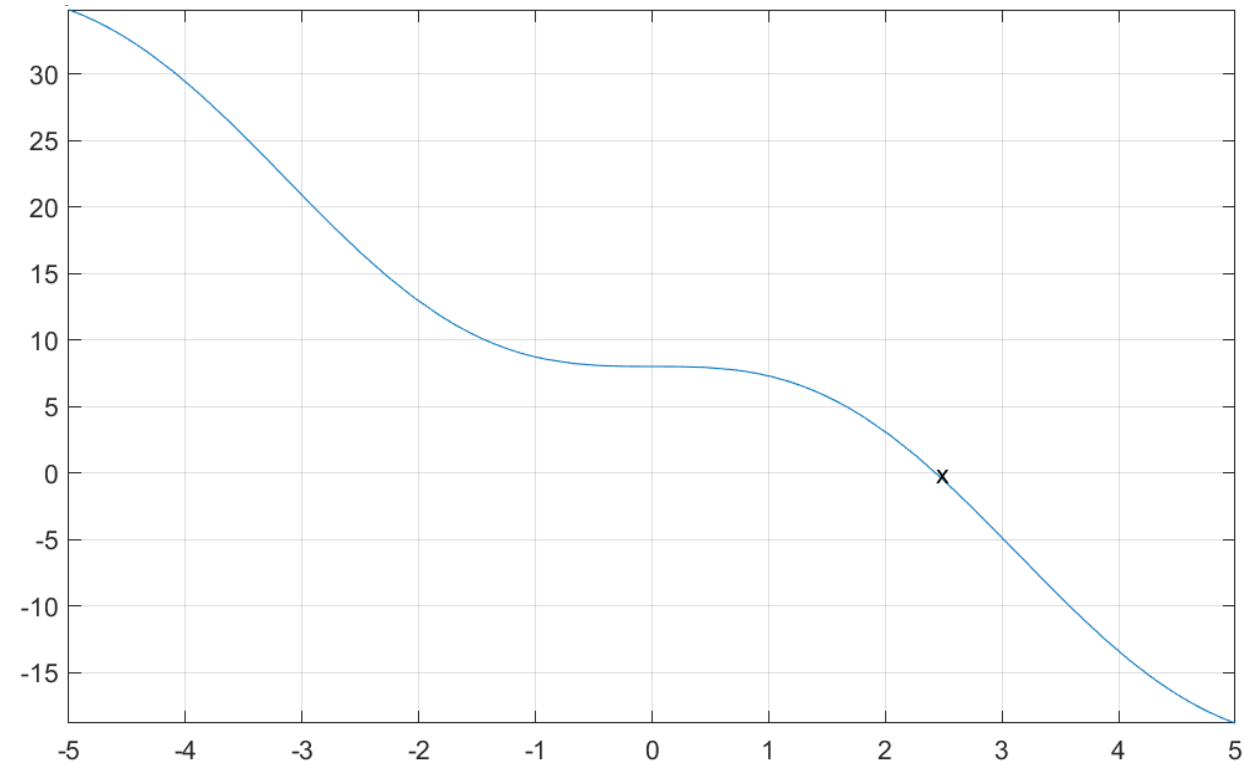
Logarithmic Scale

```
x=0:0.1:10;  
y=10.^x;  
plot(x,y),          grid on  
semilogx(x,y),      grid on  
semilogy(x,y),      grid on  
loglog(x,y),         grid on
```



Fplot

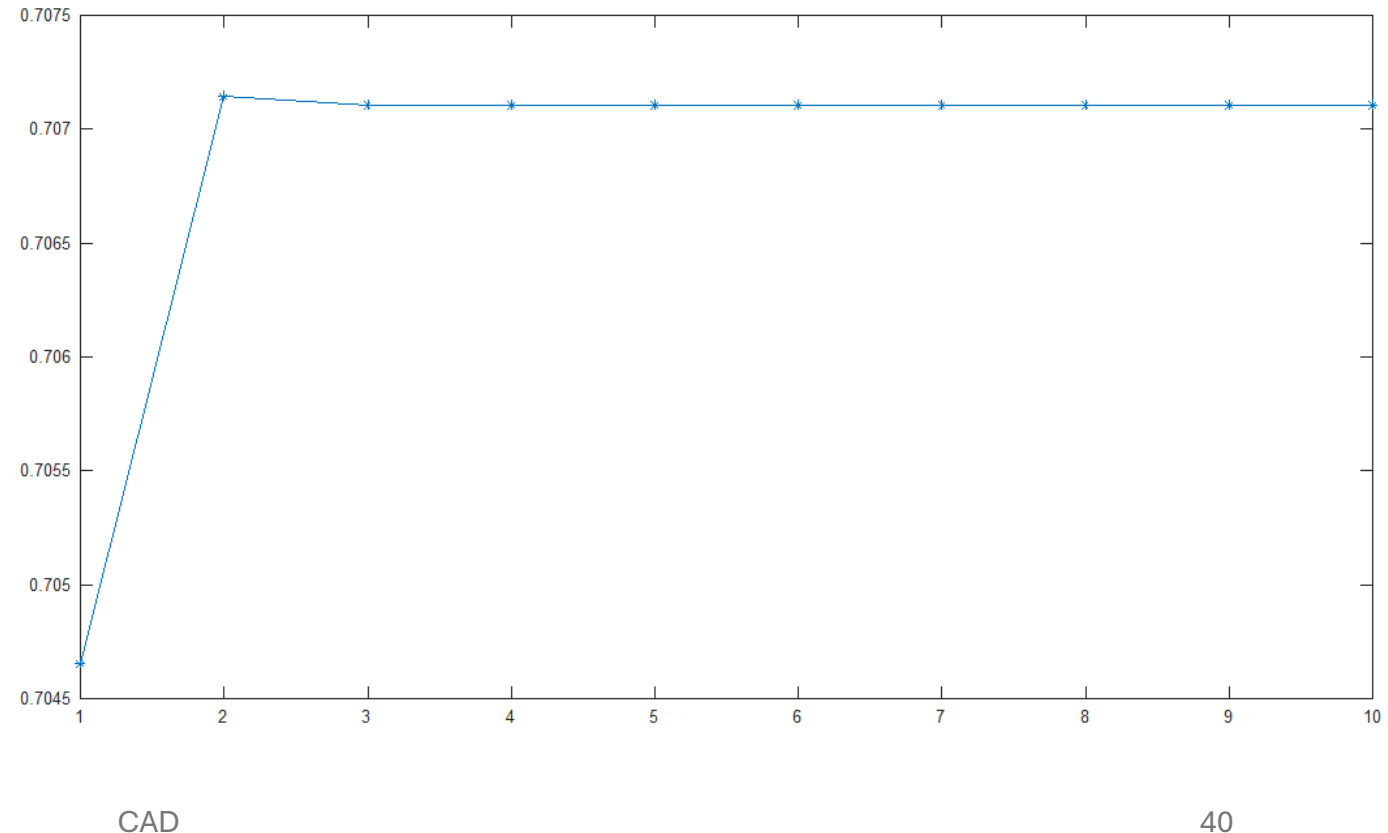
```
fplot(@sin)
fplot(@sin, [0 pi])
fplot(@(x) x.^2 + 5.*x + 6, [-6.5 1.5])
fplot(@(x) 8 - 4.5 * (x-sin(x)))
fzero(@(x) 8 - 4.5 * (x-sin(x)), 0)
ans =
    2.4305
```



Example 1

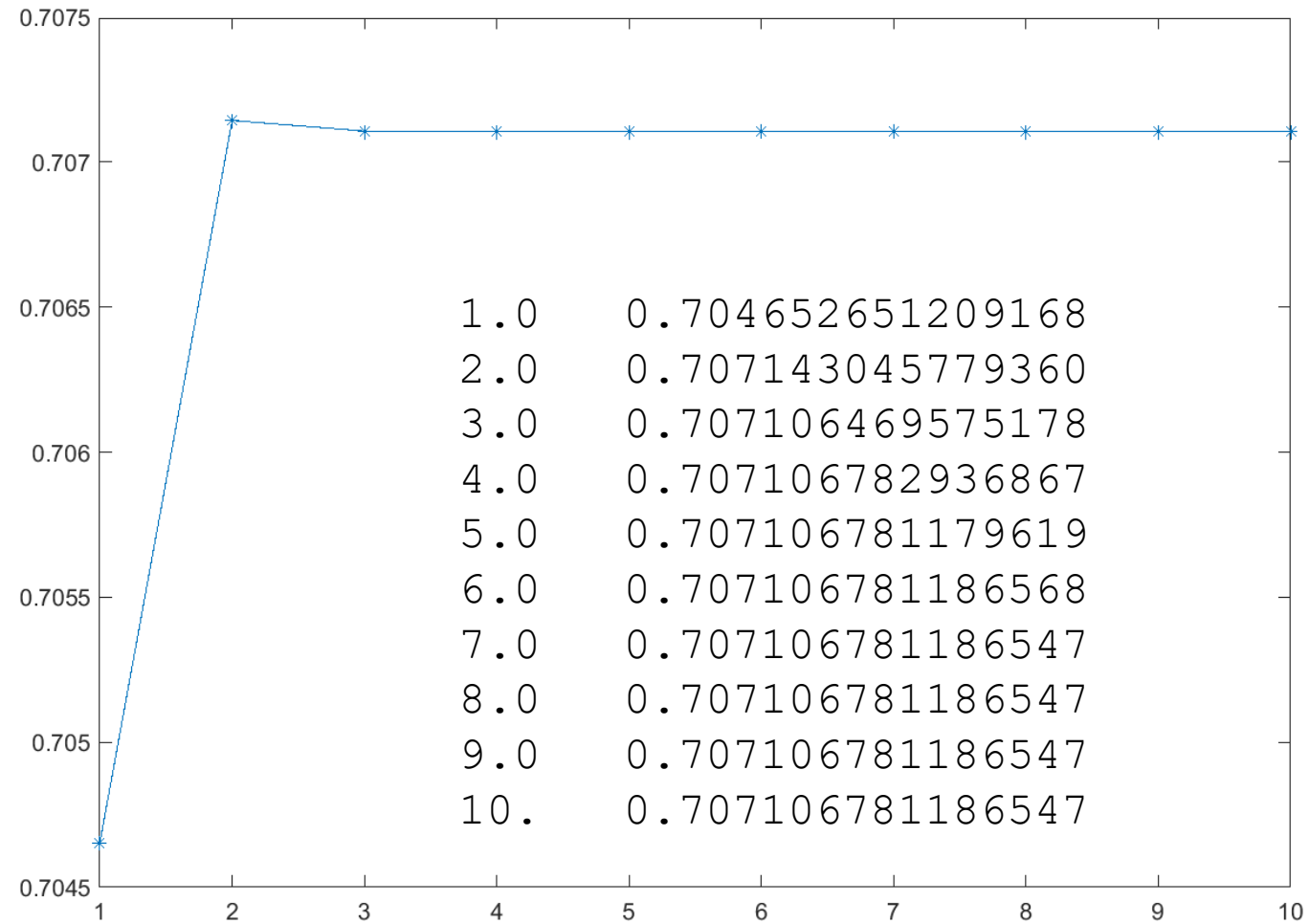
- Engineers can determine the required number of steps
 - Accuracy
 - Efficiency

Max	n	$\sin(45^\circ)$
	1	0.704652651209168
	2	0.707143045779360
	3	0.707106469575178
	4	0.707106782936867
	5	0.707106781179619
	6	0.707106781186568
	7	0.707106781186547
	8	0.707106781186547
	9	0.707106781186547
	10	0.707106781186547



Number of Steps

```
theta = deg2rad(45);  
x = 1:10;  
y = zeros(size(x));  
  
for n = x  
    y(n) = sin_ex(theta, n);  
end  
disp([x; y]');  
plot(x, y, '*-')  
  
function result = sin_ex(theta, maxn)  
    result = 0;  
    for n = 0 : maxn  
        result = result + (-1)^n * theta ^ (2*n+1) / factorial(2*n+1);  
    end  
end
```



Example 2

التعرفة:

من ١ إلى ٦٠٠ بسعر ٢ ل.س، من ٦٠١ إلى ١٠٠٠ بسعر ٦ ل.س، من ١٠٠١ إلى ١٥٠٠ بسعر ٢٠ ل.س، من ١٥٠١ إلى ٢٥٠٠ بسعر ٩٠ ل.س، من ٢٥٠١ فما فوق بسعر ١٥٠ ل.س لكل ك.وس

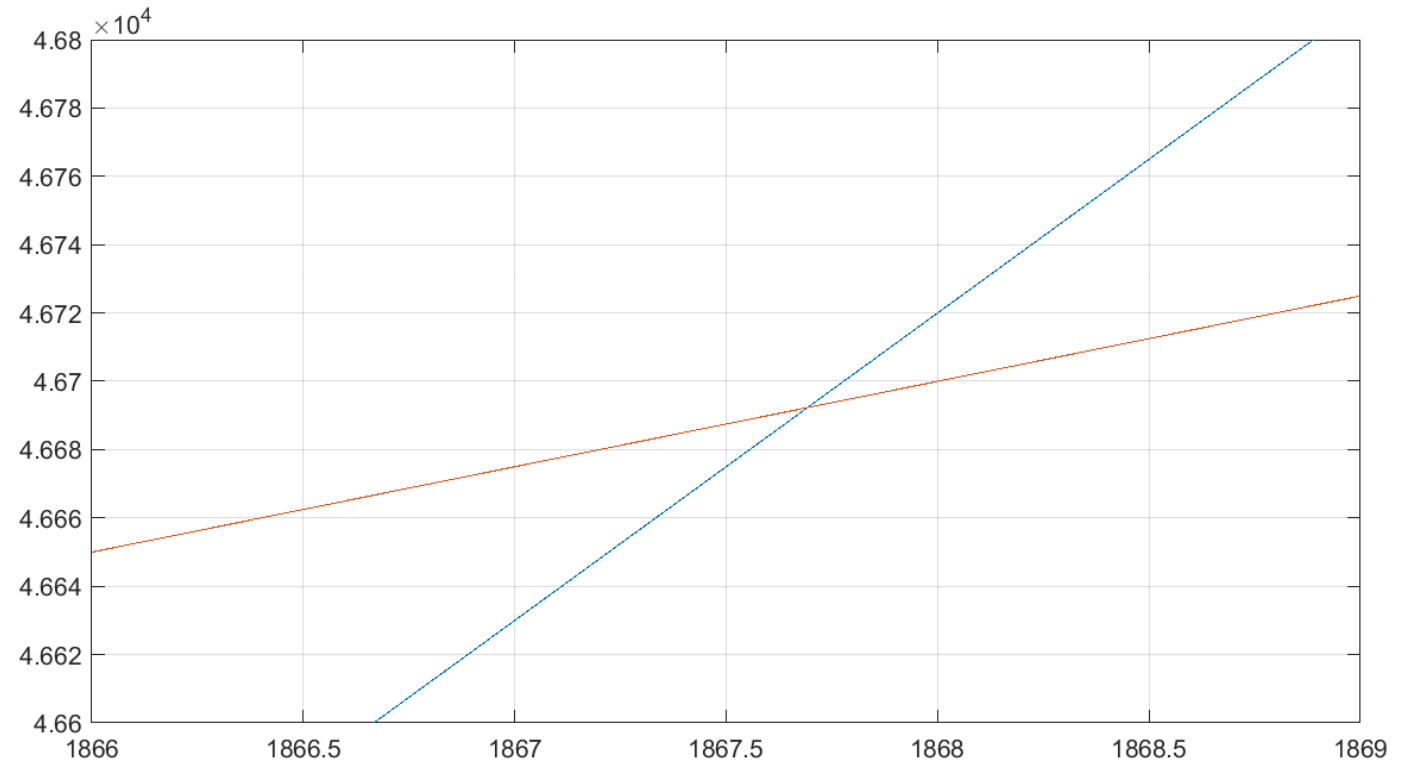
```
function tariff = ebill_ex(kwh)
```

```
if kwh < 1
    tariff = 0;
elseif kwh <= 600
    tariff = kwh * 2;
elseif kwh <= 1000
    tariff = (kwh - 600) * 6 + 600 * 2;
elseif kwh <= 1500
    tariff = (kwh - 1000) * 20 + 600 * 2 + 400 * 6;
elseif kwh <= 2500
    tariff = (kwh - 1500) * 90 + 600 * 2 + 400 * 6 + 500 * 20;
else
    tariff = (kwh - 2500) * 150 + 600 * 2 + 400 * 6 + 500 * 20 + 1000 * 90;
end
```

Compare to
fixed rate of 25
per kwh!

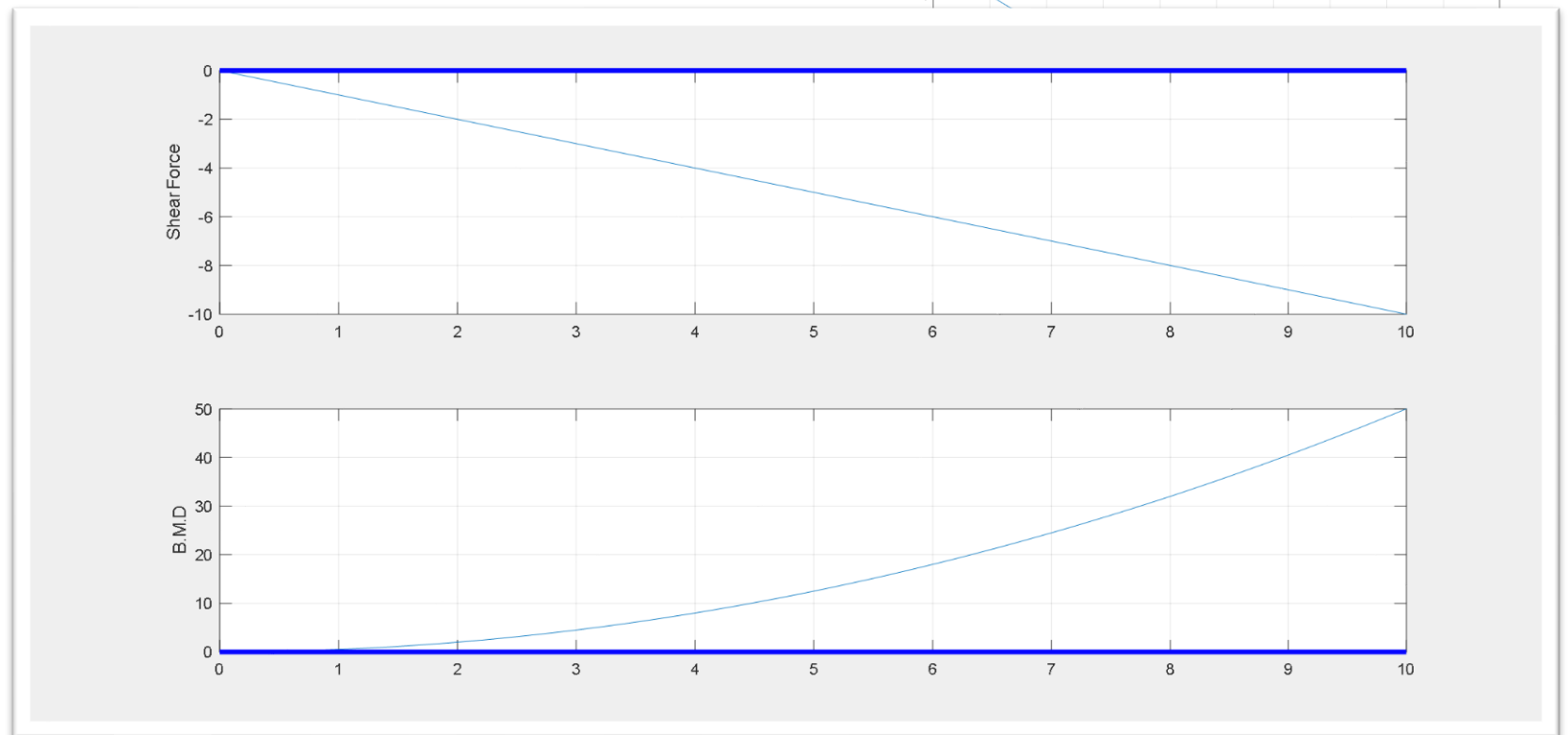
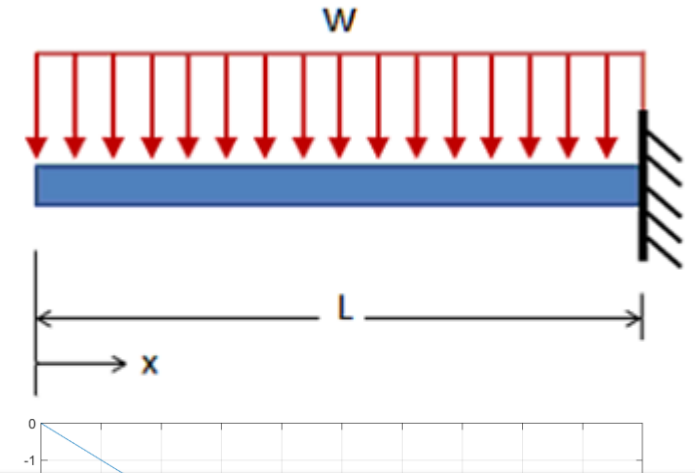
Tariff

```
x = 1:2600;  
y = zeros(size(x));  
  
for kws = x  
    y(kws) = ebill_ex(kws);  
end  
  
plot(x, y)  
  
y2 = 25 * x;  
hold on  
plot(x, y2)  
axis([1866 1869 46600 46800])
```



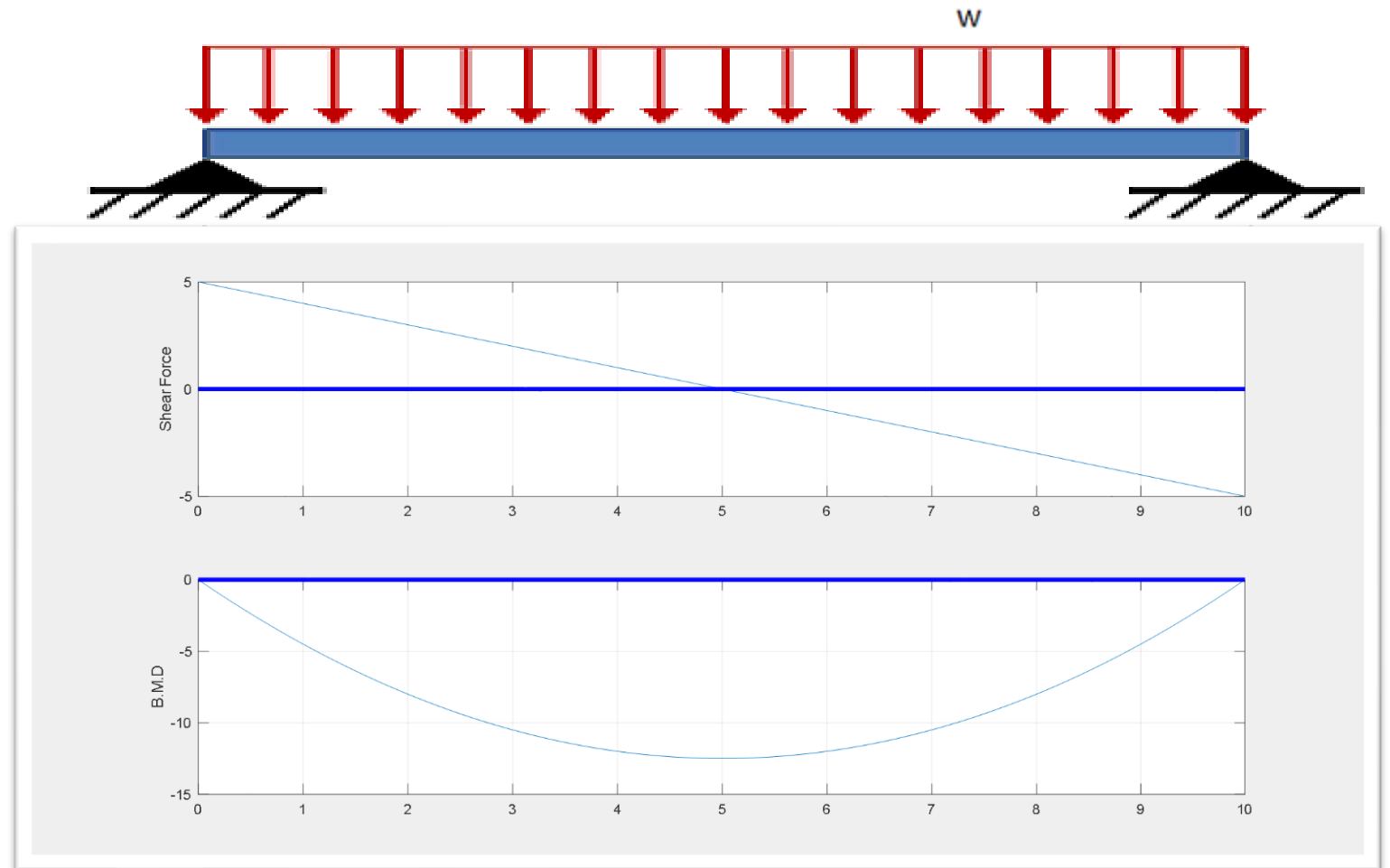
Example 3

```
L = input('Length L='); % e.g. 10
w = input('w=');        % e.g. 1
x = 0:0.1:L;
v = -w*x;
m = w*x.*x/2;
subplot(2,1,1);
plot(x, v), grid
ylabel('Shear Force');
subplot(2,1,2);
plot(x, m), grid
ylabel('B.M.D');
```



Example 4

```
L = input('Length L='); % e.g. 10
w = input('w=');         % e.g. 1
x = 0:0.1:L;
R = w*L/2; % Support reaction
v = R-w*x;
m = -R.*x+w*x.*x/2;
subplot(2,1,1);
plot(x, v), grid
ylabel('Shear Force');
subplot(2,1,2);
plot(x, m), grid
ylabel('B.M.D');
```



Truss

```
x0 = 0; y0 = 0; dx = 5; y1 = 3; y2 = 4;
```

```
% node x y
```

```
nodes = [
```

```
x0 + 0 * dx    y0;
```

```
x0 + 1 * dx    y0;
```

```
x0 + 1 * dx    y1;
```

```
x0 + 2 * dx    y0;
```

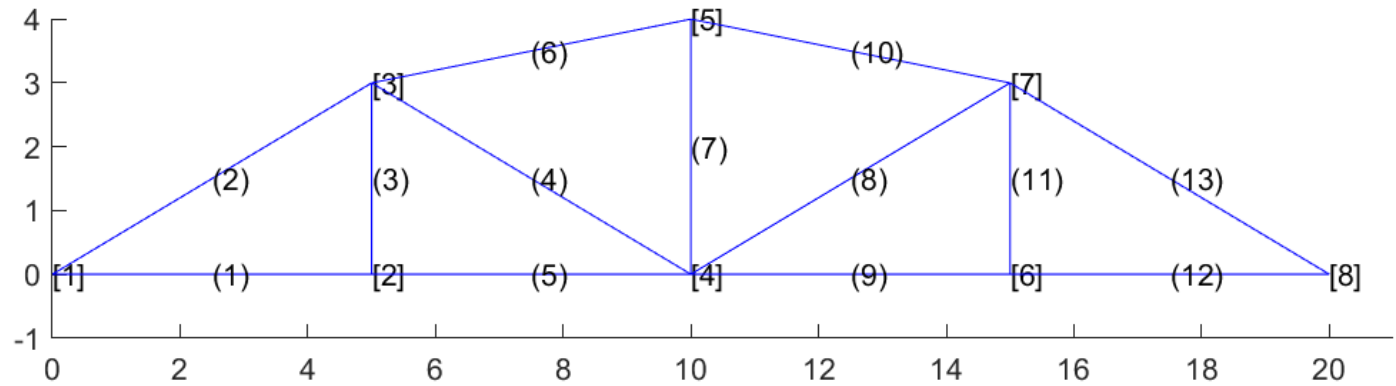
```
x0 + 2 * dx    y2;
```

```
x0 + 3 * dx    y0;
```

```
x0 + 3 * dx    y1;
```

```
x0 + 4 * dx    y0;
```

```
];
```



Truss

```
clf
```

```
axis equal
```

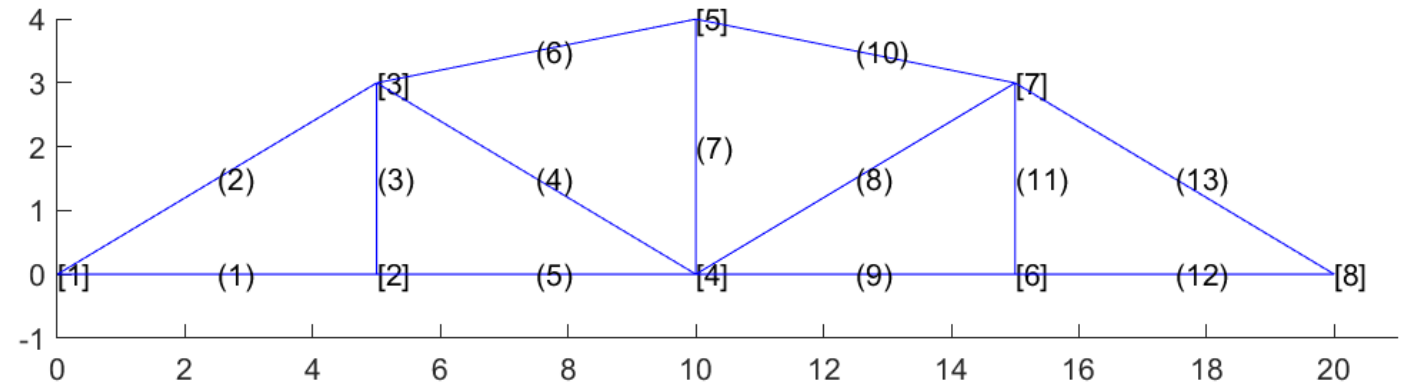
```
hold on
```

```
for n = 1:length(nodes)
```

```
    % x = nodes(n, 1)
```

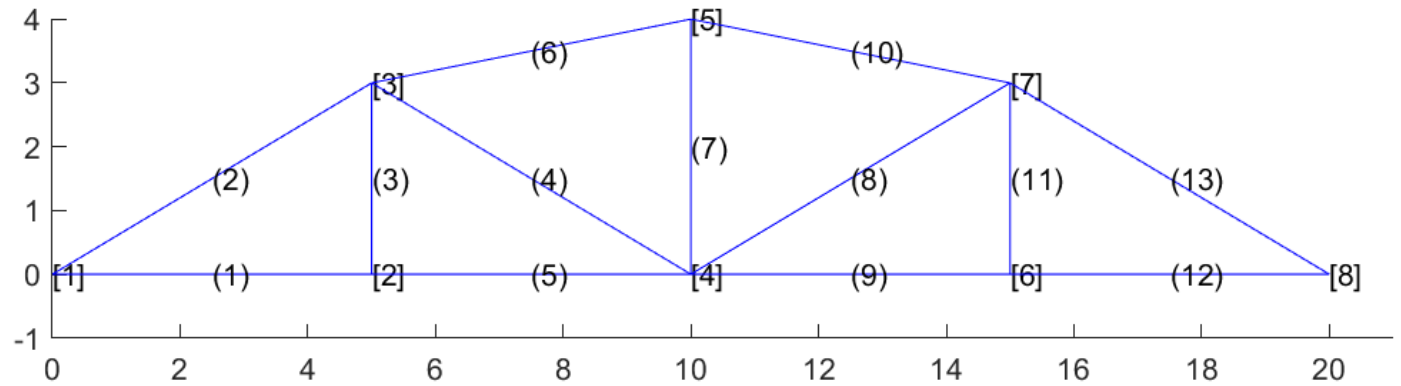
```
    text(nodes(n, 1), nodes(n, 2), "["+num2str(n)+""]")
```

```
end
```



Truss

```
elements = [  
  1 2;  
  1 3;  
  2 3;  
  3 4;  
  2 4;  
  3 5;  
  4 5;  
  4 7;  
  4 6;  
  5 7;  
  6 7;  
  6 8;  
  7 8  
];
```



Truss

```
for el = 1:length(elements)
    n1 = elements(el, 1);
    n2 = elements(el, 2);
    plot([nodes(n1, 1) nodes(n2, 1)], [nodes(n1, 2) nodes(n2, 2)], 'b')
    x = (nodes(n1, 1) + nodes(n2, 1))/2;
    y = (nodes(n1, 2) + nodes(n2, 2))/2;
    text(x, y, "(" + num2str(el) + ")")
end
```

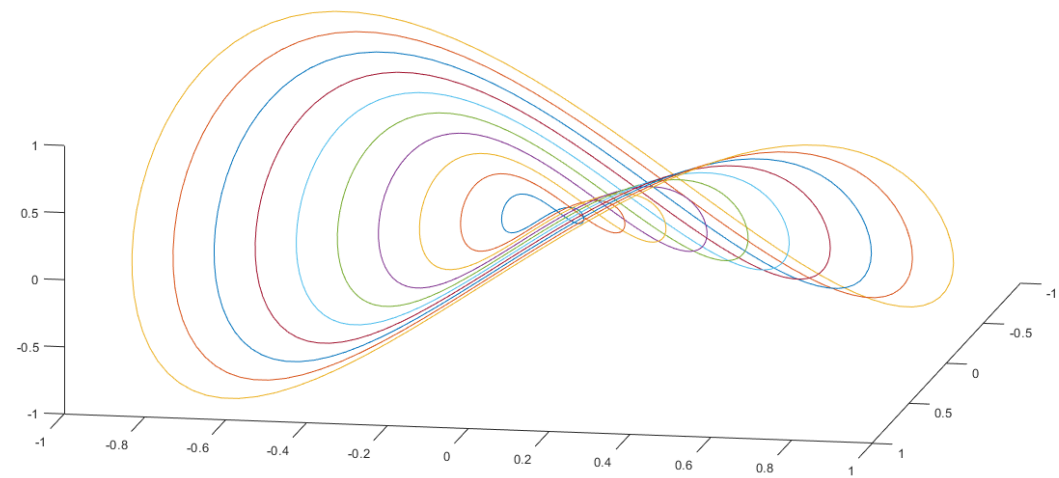
Truss

```
displacement = [  
0 0;  
0.0012 -0.0079;  
0.0040 -0.0073;  
0.0023 -0.0090;  
0.0024 -0.0073;  
0.0036 -0.0085;  
0.0007 -0.0077;  
0.0048 0; ];
```

Deformed Truss

```
max_scale = 100;
delay = 0.01;
for scale = 1:max_scale
    clf
    axis equal
    grid, hold on
    coord = nodes + scale .* displacement;
    for el = 1:length(elements)
        n1 = elements(el, 1);
        n2 = elements(el, 2);
        plot([coord(n1, 1) coord(n2, 1)], [coord(n1, 2) coord(n2, 2)], 'b')
    end
    axis([0 21 -2 y2])
    drawnow
    pause(delay)
end
```

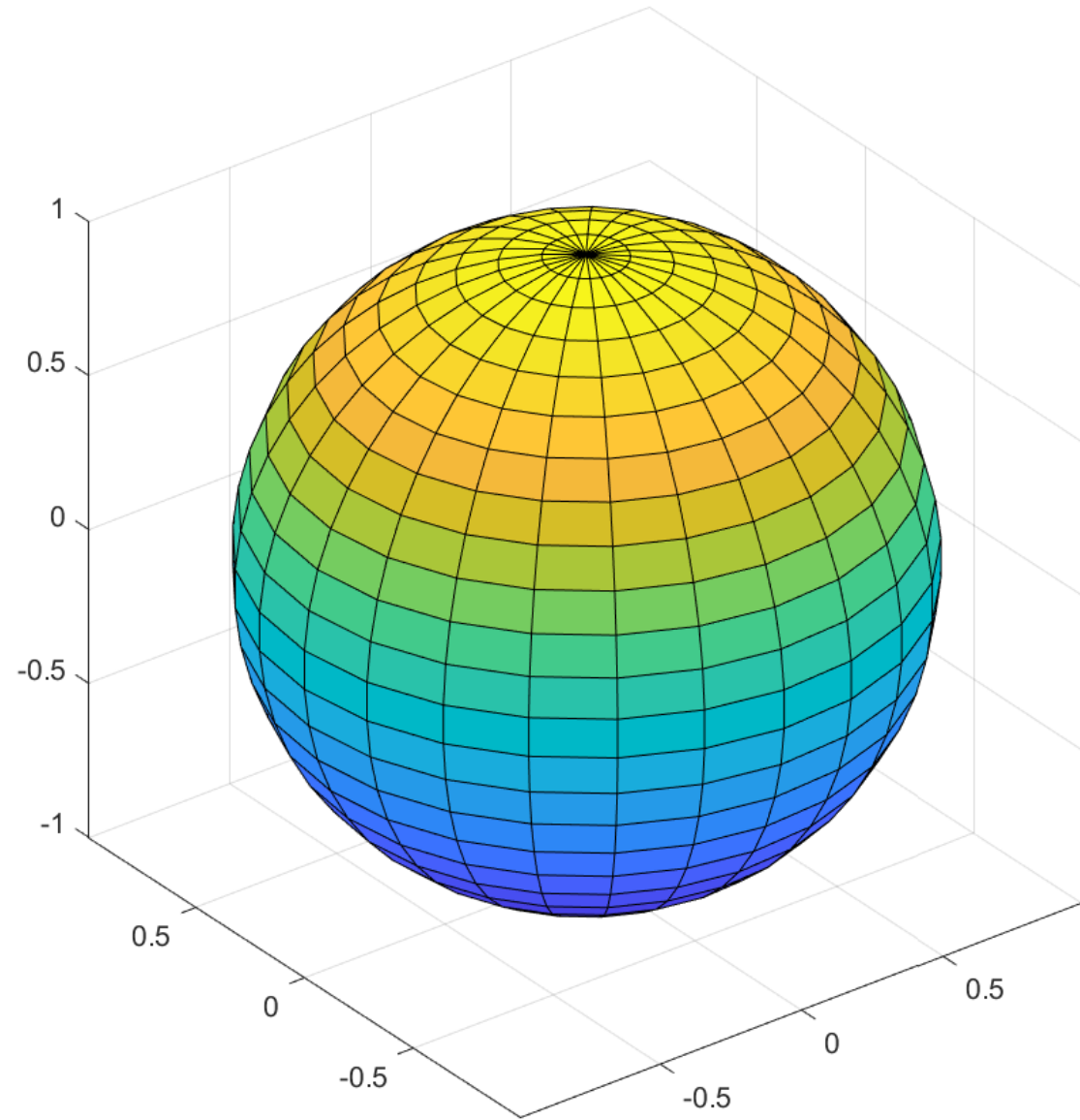

3D Graphics



3D Graphics

`sphere(25)`

`axis equal`



Plot3

```
t=.01:.01:20*pi;
```

```
x=cos(t);
```

```
y=sin(t);
```

```
z=t.^3;
```

```
plot3(x,y,z)
```

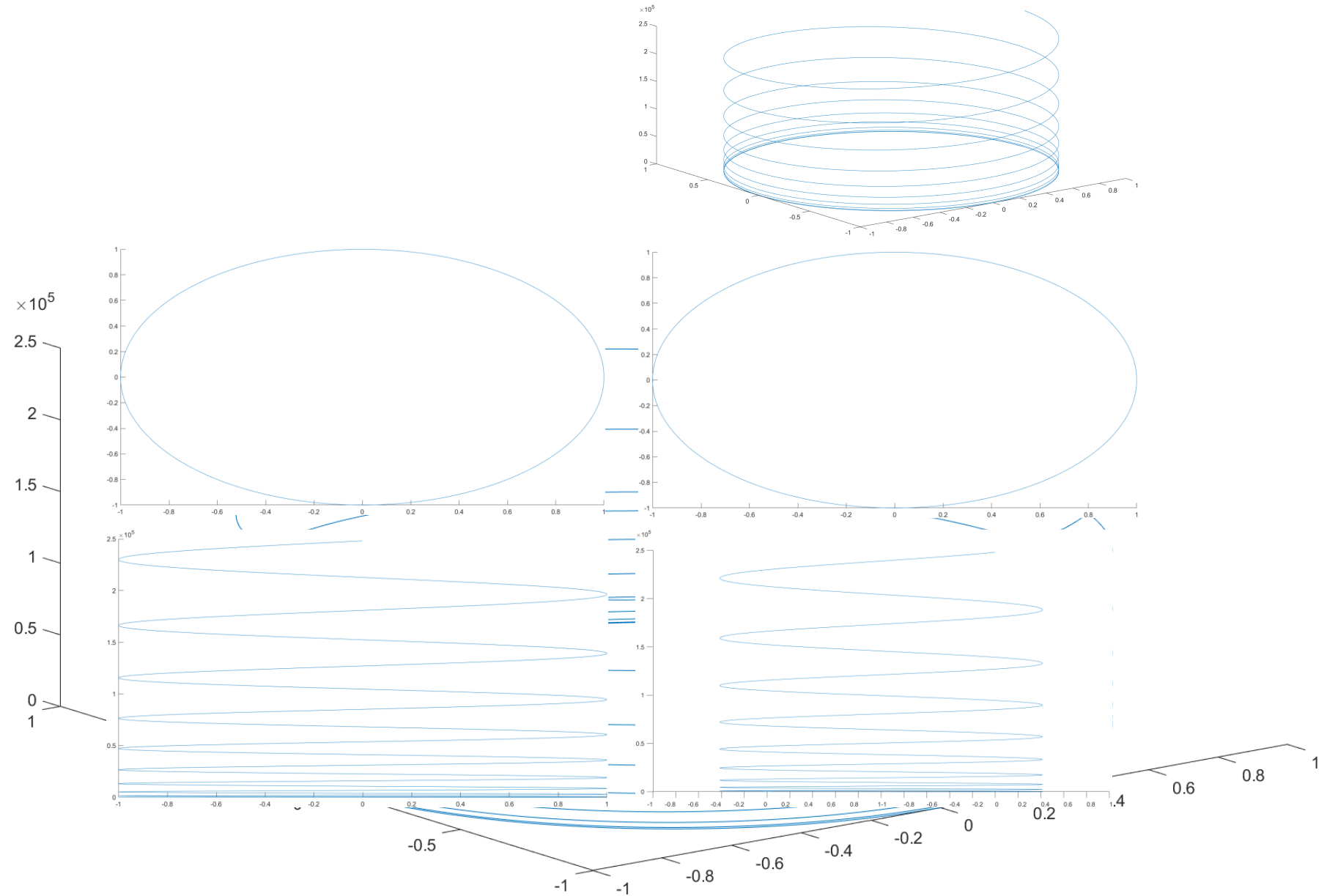
```
view(2)
```

```
view(3)
```

```
view(45, 0)
```

```
view(90, 0)
```

```
view(0, 90)
```

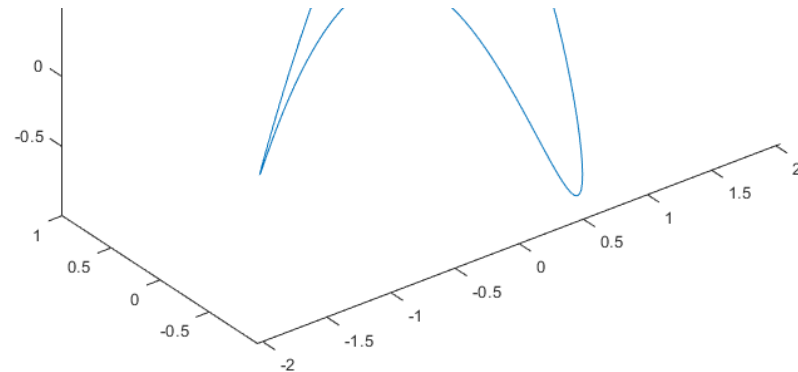
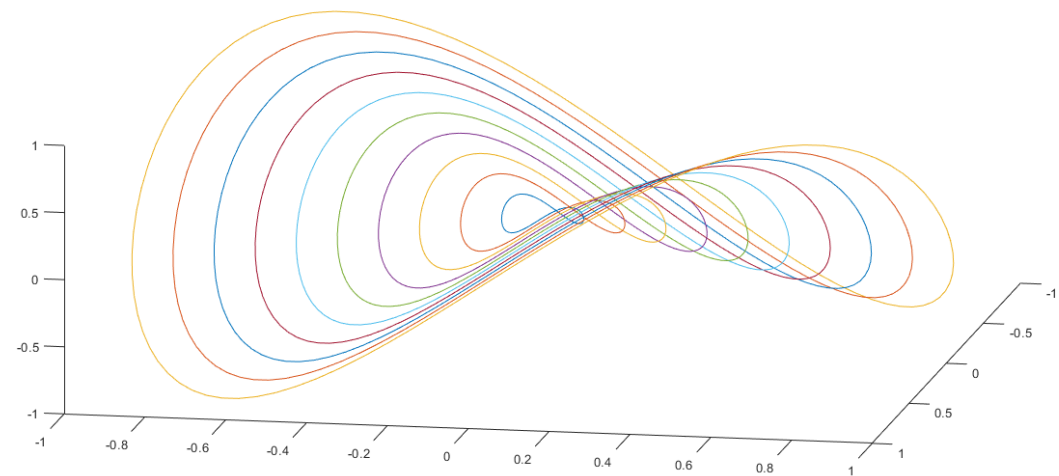
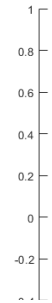


Plot3

```
theta = linspace(0,2*pi,100);
```

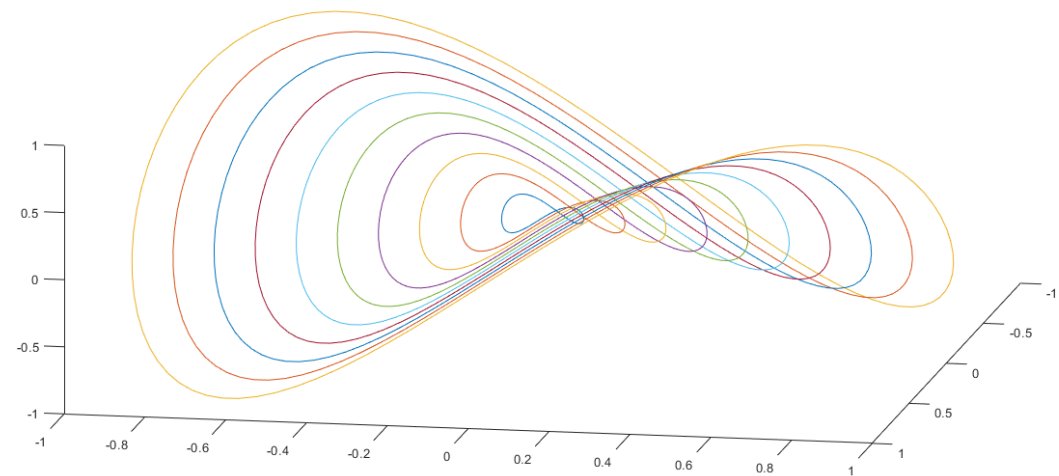
```
x = 1*sin(theta);  
y = 1*cos(theta);  
z = 1*sin(2*theta);  
plot3(x,y,z);
```

```
view(2)  
axis equal  
view(3)
```



Plot3

```
clf
hold on
theta = linspace(0,2*pi,100);
for r = 0:0.1:1
    x = r*sin(theta);
    y = r*cos(theta);
    z = r*sin(2*theta);
    plot3(x,y,z);
end
view(2)
axis equal
view(3)
daspect([1 1 3])
```



3D Graphics

```
[x, y]=meshgrid(-2:0.5:2);
```

x =

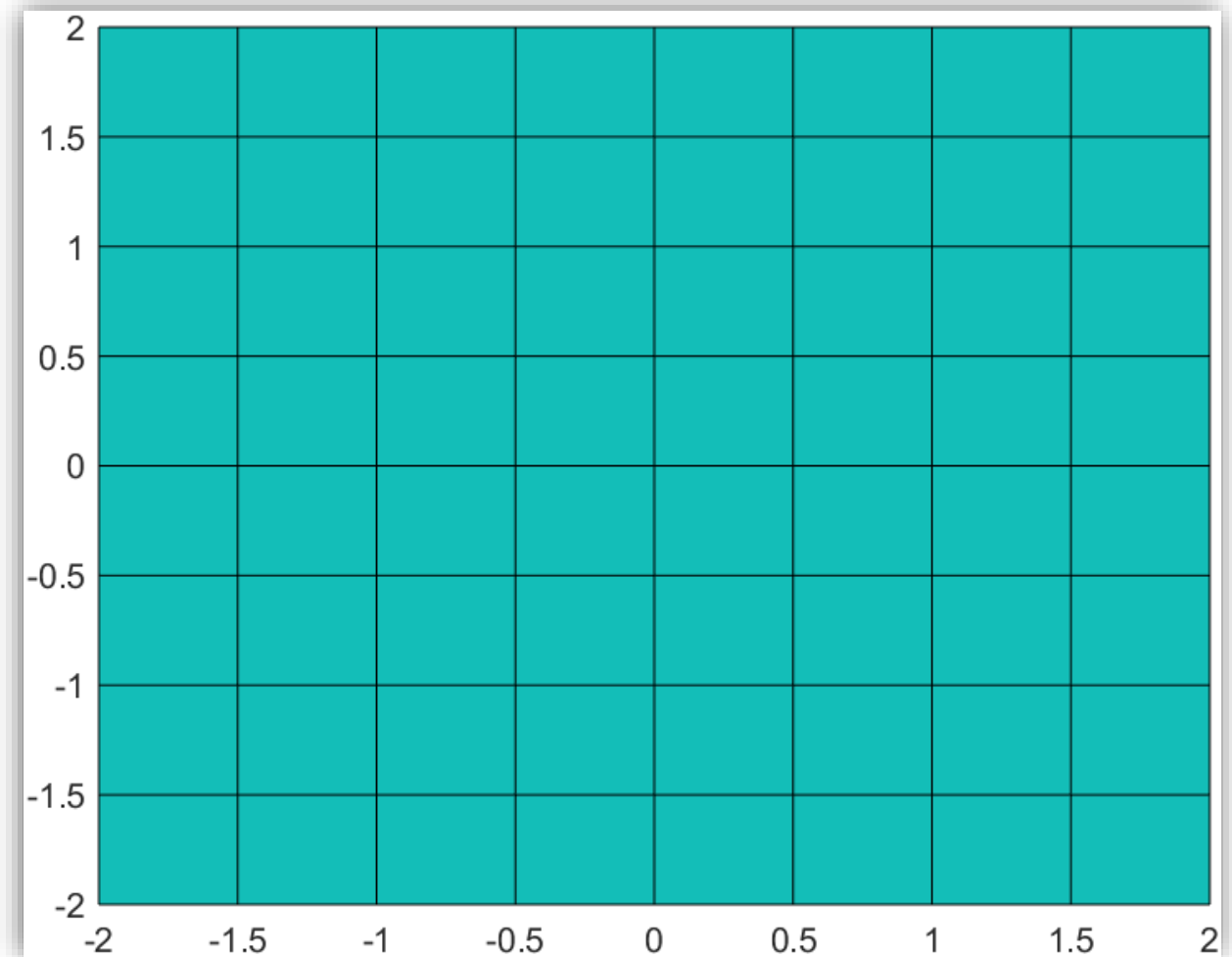
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000
-2.0000	-1.5000	-1.0000	-0.5000	0	0.5000	1.0000	1.5000	2.0000

3D Graphics

```
[x, y]=meshgrid(-2:0.5:2);
```

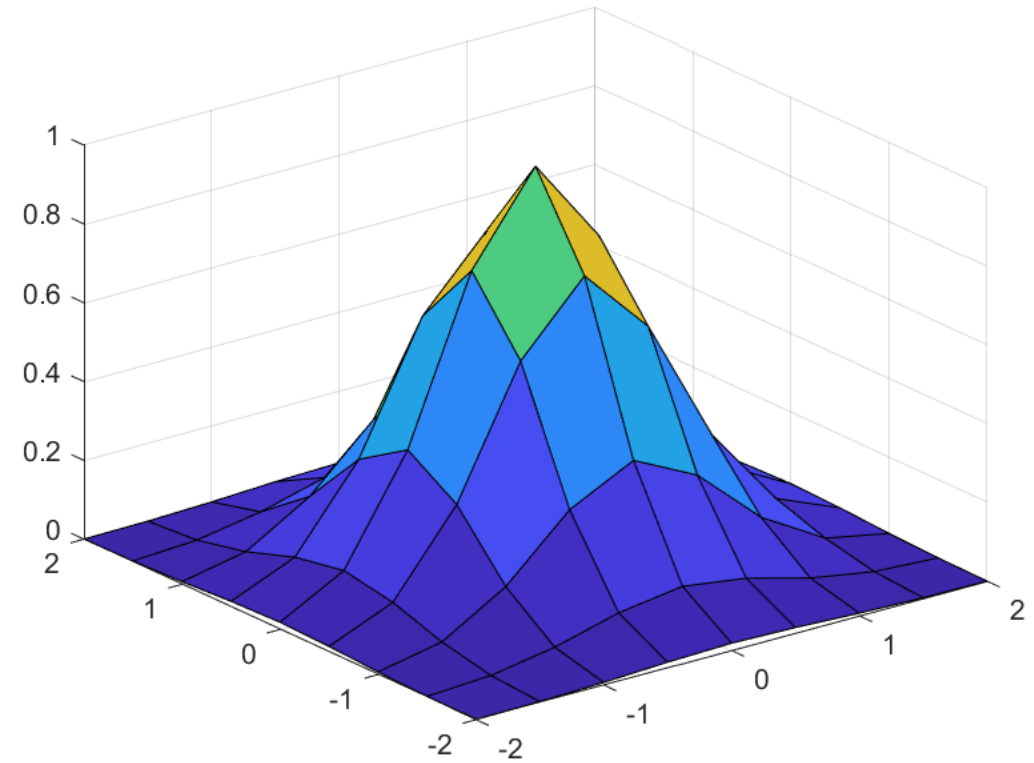
y =

-2.0000	-2.0000	-2.0000	-2.0000
-1.5000	-1.5000	-1.5000	-1.5000
-1.0000	-1.0000	-1.0000	-1.0000
-0.5000	-0.5000	-0.5000	-0.5000
0	0	0	0
0.5000	0.5000	0.5000	0.5000
1.0000	1.0000	1.0000	1.0000
1.5000	1.5000	1.5000	1.5000
2.0000	2.0000	2.0000	2.0000



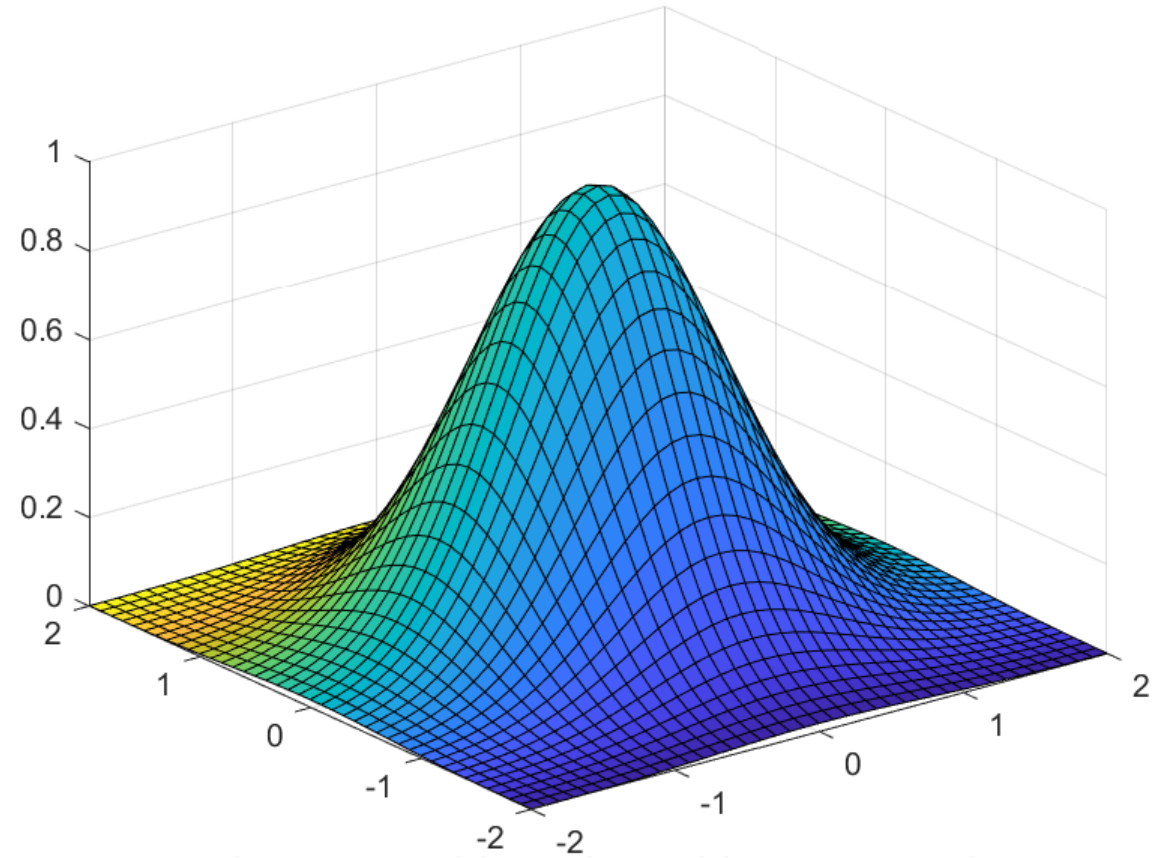
3D Graphics

```
[x, y]=meshgrid(-2:0.5:2);  
z=exp(-x.^2 - y.^2);  
surf(x, y, z)
```



3D Graphics

```
[x, y]=meshgrid(-2:0.1:2);  
z=exp(-x.^2 - y.^2);  
surf(x, y, z)  
contour(x, y, z)  
meshc(x, y, z)  
view(0, -45)  
surf(x, y, z, x)  
surf(x, y, z, y)
```



3D Truss

- Nodes `[x y z]`
- `plot3`